

Microsimulation of Traffic flow on the Kwinana Freeway with Ramp Metering and Variable Speed Limit

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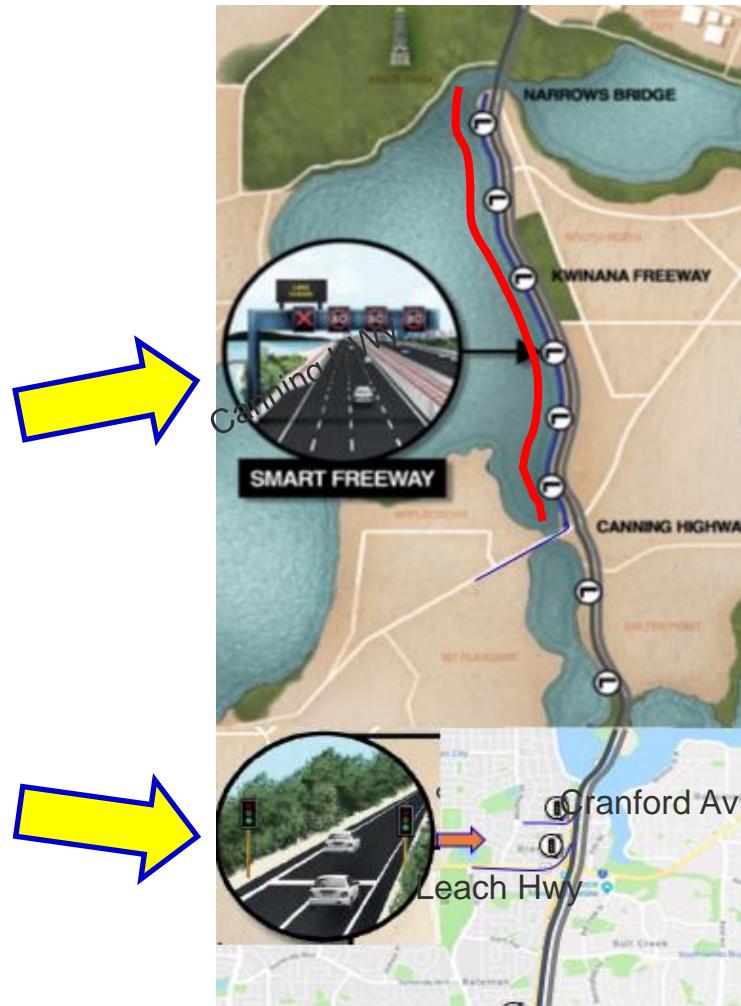
Smart Freeway Kwinana Northbound

Smart freeways - traffic modelling and control

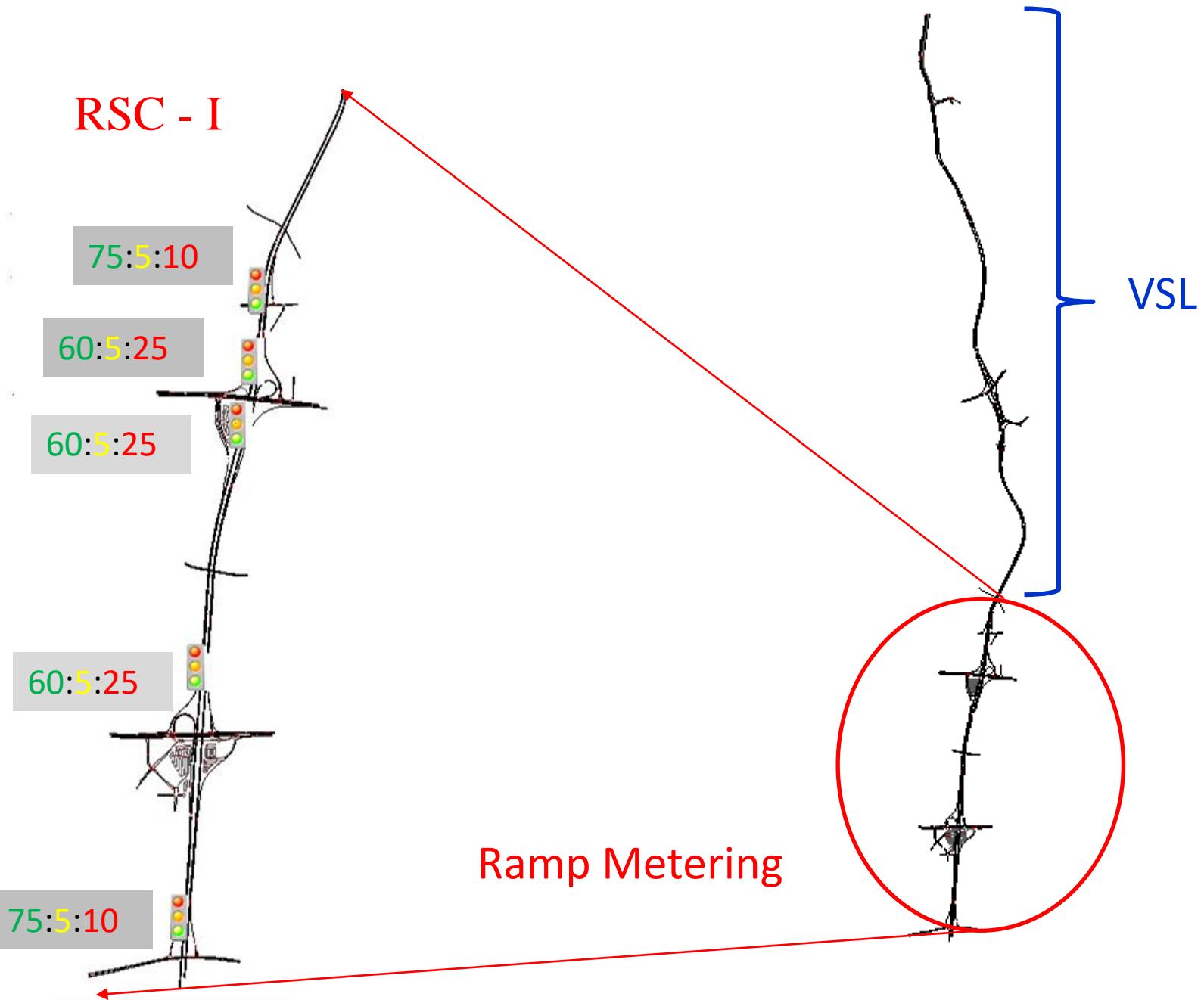
To improve traffic flows on highways/freeways to meet the future demand, smart highways/freeways technologies have been developed in many countries

eg. A smart freeways – Kwinana northbound

- Electric device & CCTV
- Coordinated Signals at on-ramps
- Variable Speed Limits
- Real Time Traffic Information
- Emergency Stopping Bays in place every 500m-700m



from Main Roads & Google Maps



Typical Research Problems in Smart Highways/freeways Study

- ❑ Construct robust models for **traffic flows** (Microscopic/Macroscopic/Mesoscopic)
 - on freeways
 - with lane changes
 - with merging of on-ramp traffic

- ❑ Study **optimization strategies**
 - max throughput
 - min occurrence of recurrent congestion
 - min impact of non-recurrent congestion
 - max operation safety
 - min travel time ... etc

- subject to **constraints**
 - minimum entry rate at on-ramps
 - maximum speed limit
 - minimum waiting time ...etc

Remarks

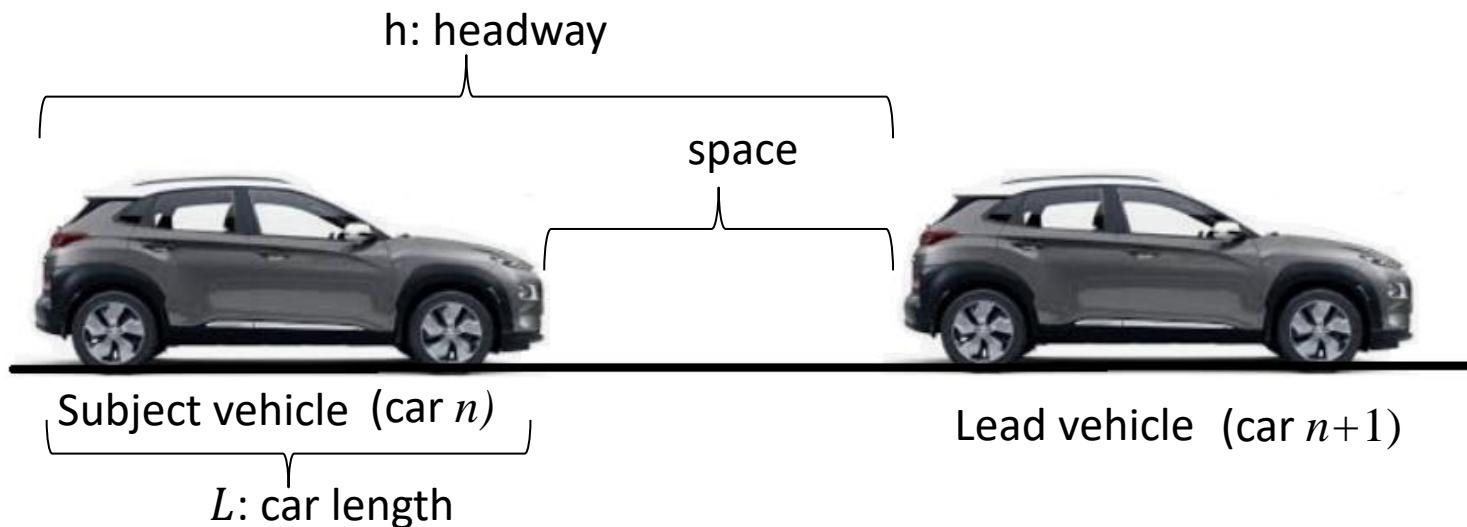
For the success of smart highways, it is important to model traffic flow accurately

Microscopic Car-following Model

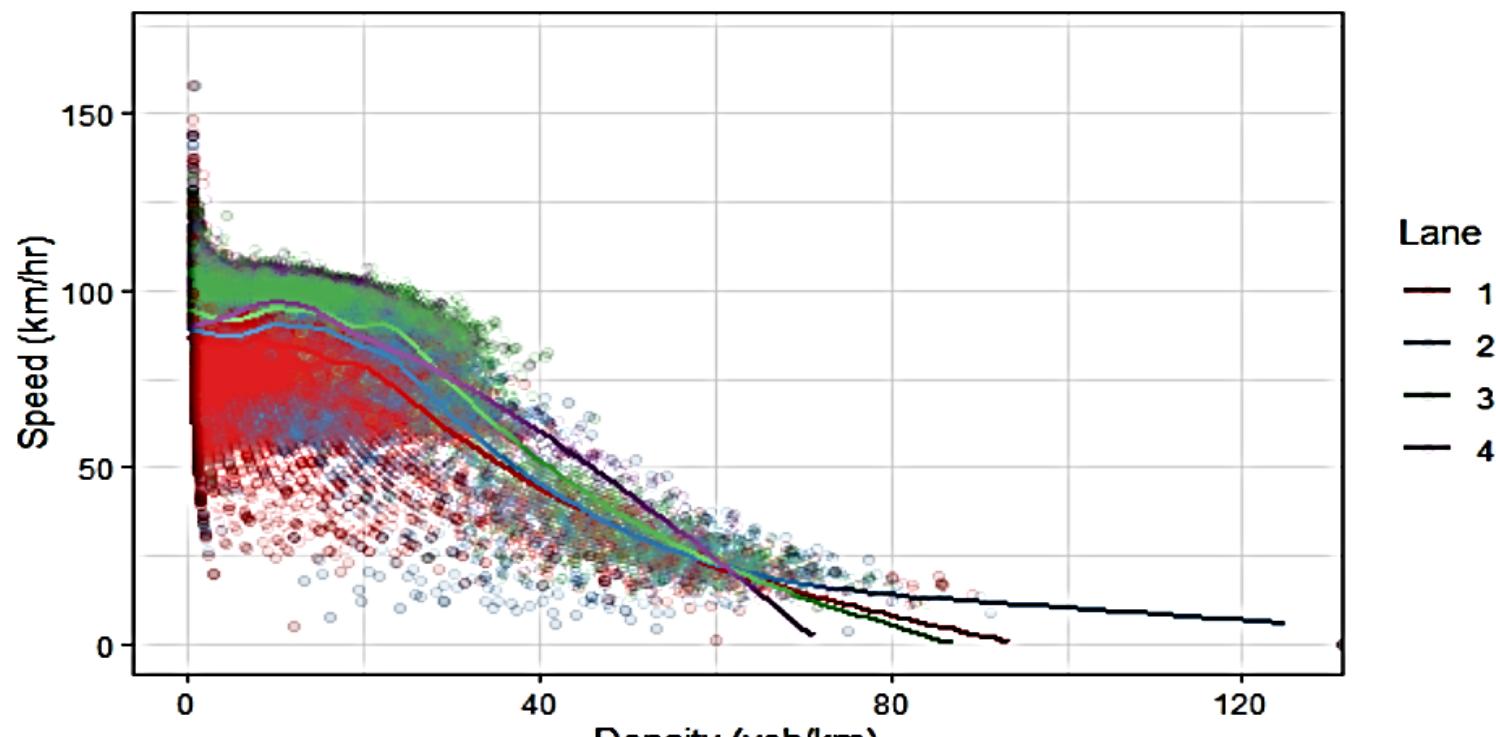
Let $x_n(t)$ be position of car n at time t

$$\ddot{x}_n(t) = \frac{1}{\tau} (\dot{x}_{n+1}(t) - \dot{x}_n(t)) + \frac{1}{T} (V(h_n(t)) - \dot{x}_n(t)),$$

$\underbrace{\hspace{10em}}$ Reaction term $\underbrace{\hspace{10em}}$ Relaxation term



Fundamental Diagram (FD)

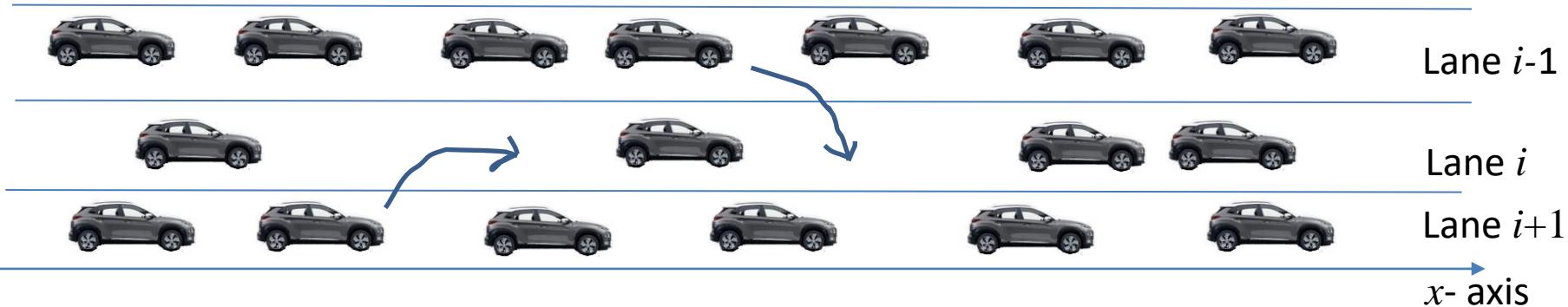


1st order Lane-Changing Macroscopic model

Lane change from lane i to its neighboring lane j , ($j = i - 1$ or $i + 1$)

when

$$\left\{ \begin{array}{l} v_j > (1 + \alpha)v_i \\ h(\rho_j) > h_{min} + v_i t \end{array} \right. \quad \begin{array}{l} (a) \\ (b) \end{array}$$



$$\begin{aligned} & \partial_t(\rho_i) + \partial_x(\rho_i V_i) \\ &= \frac{p}{\tau_L} \left[\underbrace{-(\delta_{i,i-1} + \delta_{i,i+1})}_{\text{Loss terms}} \rho_i + \underbrace{(\rho_{i-1}\delta_{i-1,i} + \rho_{i+1}\delta_{i+1,i})}_{\text{Gain terms}} \right], \end{aligned}$$

$$V_i = V(\rho_i) = \begin{cases} VSL & \rho_i \rightarrow 0 \\ 0 & \rho_i \rightarrow \rho_{max} \end{cases} \quad \delta_{i,j} = \begin{cases} 1 & \text{if (a), (b) are met} \\ 0 & \text{otherwise} \end{cases}$$

3-lane Fwy section with on-/off- ramp

$$\left\{ \begin{array}{l} \partial_t(\rho_0) + \partial_x(\rho_0 V_0) = \frac{1}{\tau_L} (-\delta_{0,1}\rho_0) \quad \text{on-Ramp} \\ \partial_t(\rho_0) + \partial_x(\rho_0 V_0) = \frac{1}{\tau_L} (\delta_{1,0}\rho_1) \quad \text{off-Ramp} \end{array} \right.$$

$$\partial_t(\rho_1) + \partial_x(\rho_1 V_1) = \frac{p}{\tau_L} (-(\delta_{1,2} + \delta_{1,0})\rho_1 + \delta_{0,1}\rho_0 + \delta_{2,1}\rho_2)$$

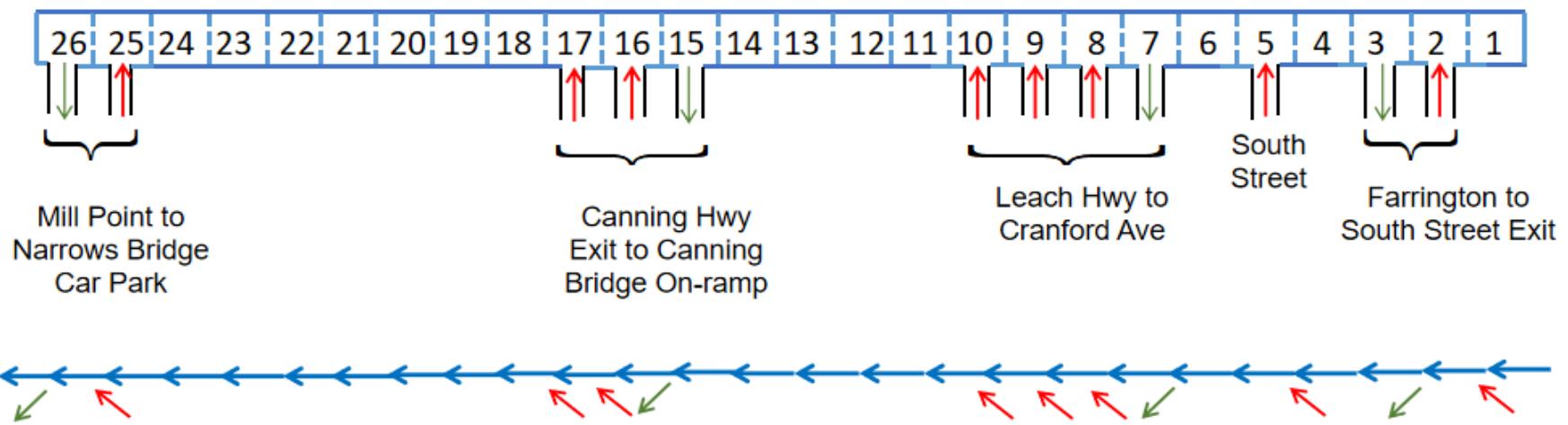
$$\partial_t(\rho_2) + \partial_x(\rho_2 V_2) = \frac{p}{\tau_L} (\delta_{1,2}\rho_1 - (\delta_{2,1} + \delta_{2,3})\rho_2 + \delta_{3,2}\rho_3)$$

$$\partial_t(\rho_3) + \partial_x(\rho_3 V_3) = \frac{p}{\tau_L} (\delta_{2,3}\rho_2 - \delta_{3,2}\rho_3)$$

n-lane Feeway with on-/off- ramp

$$\left\{
 \begin{array}{l}
 \partial_t(\rho_0) + \partial_x(\rho_0 V_0) = \frac{1}{\tau_L} (-\delta_{0,1}\rho_0) \quad \xleftarrow{\hspace{1cm}} \quad \text{on-Ramp} \\
 \partial_t(\rho_0) + \partial_x(\rho_0 V_0) = \frac{1}{\tau_L} (\delta_{1,0}\rho_1) \quad \xleftarrow{\hspace{1cm}} \quad \text{off-Ramp} \\
 \partial_t(\rho_1) + \partial_x(\rho_1 V_1) = \frac{p}{\tau_L} (-(\delta_{1,2} + \delta_{1,0})\rho_1 + \delta_{0,1}\rho_0 + \delta_{2,1}\rho_2) \\
 \partial_t(\rho_2) + \partial_x(\rho_2 V_2) = \frac{p}{\tau_L} (\delta_{1,2}\rho_1 - (\delta_{2,1} + \delta_{2,3})\rho_2 + \delta_{3,2}\rho_3) \\
 \vdots \\
 \partial_t(\rho_{n-1}) + \partial_x(\rho_{n-1} V_{n-1}) \\
 = \frac{p}{\tau_L} (\delta_{n-2,n-1}\rho_{n-2} - (\delta_{n-1,n-2} + \delta_{n-1,n})\rho_{n-1} + \delta_{n,n-1}\rho_n) \\
 \partial_t(\rho_n) + \partial_x(\rho_n V_n) = \frac{p}{\tau_L} (\delta_{n-1,n}\rho_{n-1} - \delta_{n,n-1}\rho_n)
 \end{array}
 \right.$$

Computation Region



13 km, 26 cells, 8 on-ramps, 4 off-ramps

Optimization Model

Objective function:

$$\text{s.t. } D_t = \sum_{l=t}^{t+N_p-1} \left[\sum_{i=1}^I \left(\rho_{i,l} \Delta x_i \Delta t - \frac{f_{i,l} \Delta x_i \Delta t}{v_i} \right) + \sum_{j=1}^J q_{j,l} \Delta t \right].$$

$$\rho_{i,t+1}^\varepsilon = \rho_{i,t}^\varepsilon + \frac{\Delta t}{\Delta ..} \times (f_{i-1,t}^\varepsilon(\rho_{i-1,t}^\varepsilon) - f_{i,t}^\varepsilon(\rho_{i,t}^\varepsilon) + r_{i,t} - s_{i,t}), \forall i, t,$$

$$f_{i,t} = \min\{v_i \rho_{i,t}, C_i, C_{i+1}, w_{i+1}(\rho_{max,i+1} - \rho_{i+1,t})\}, \forall i, t,$$

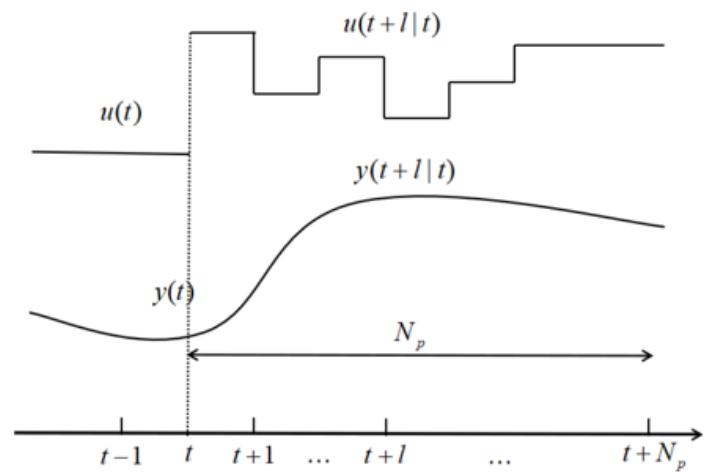
$$q_{j,t+1} = q_{j,t} + (d_{j,t} - r_{j,t}) \Delta t,$$

$$0 \leq \rho_{i,t}^\varepsilon \leq \rho_{max,i}, \forall i, t,$$

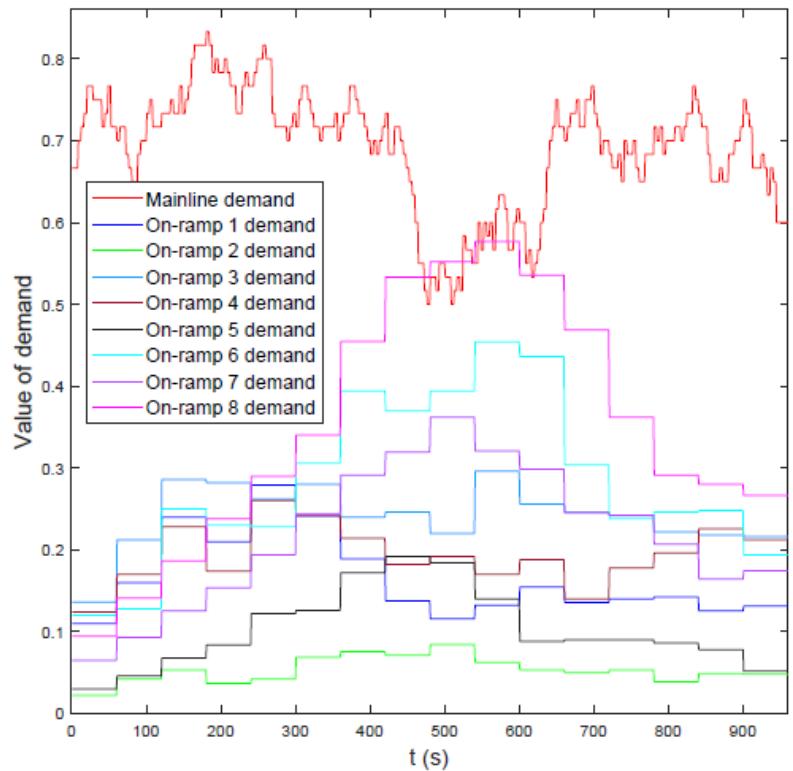
$$0 \leq q_{j,t} \leq q_{max}, \forall j, t.$$

$$0 \leq r_{j,t} \leq r_{max,j}, \forall j, t.$$

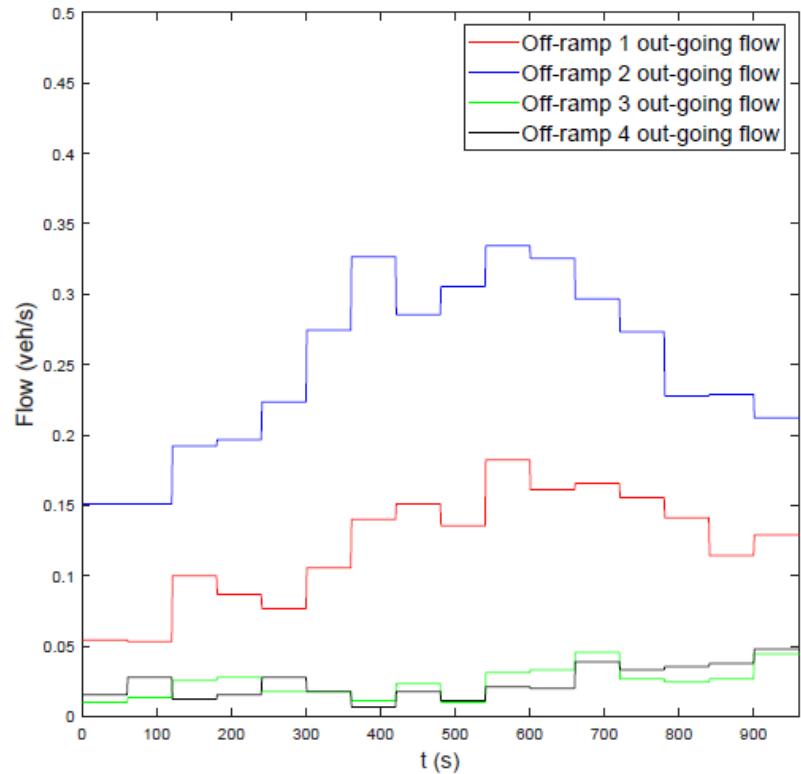
Model Predictive Control (MPC)



Demand flows and out-going flows



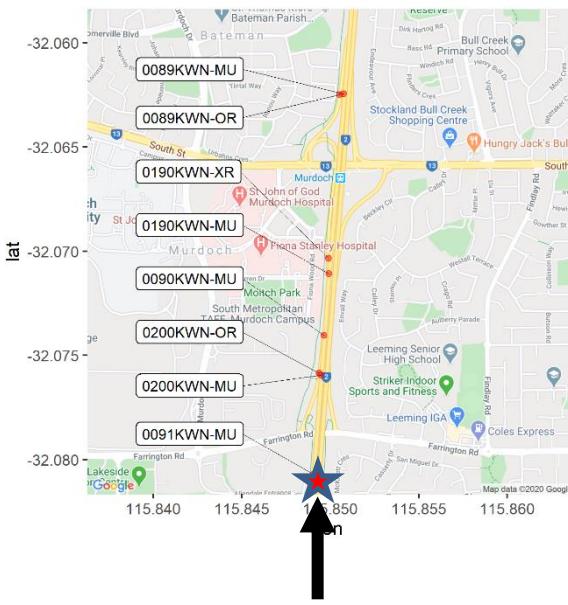
(a) Mainline demand and on-ramp demands



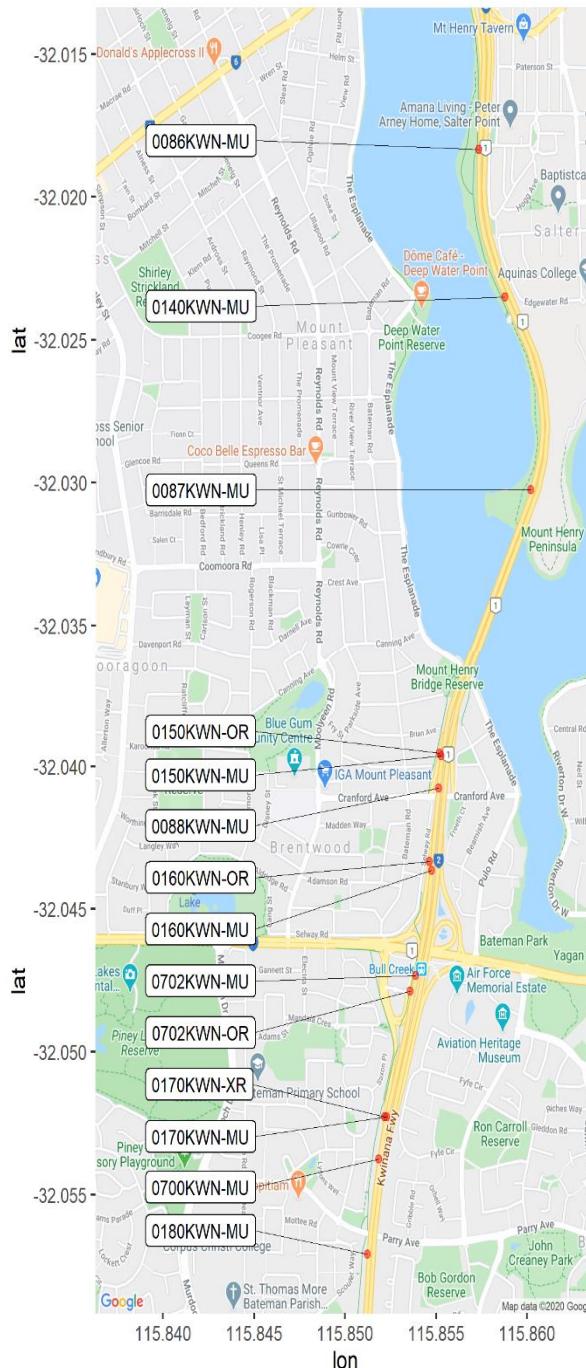
(b) Out-going flow

Microsimulation

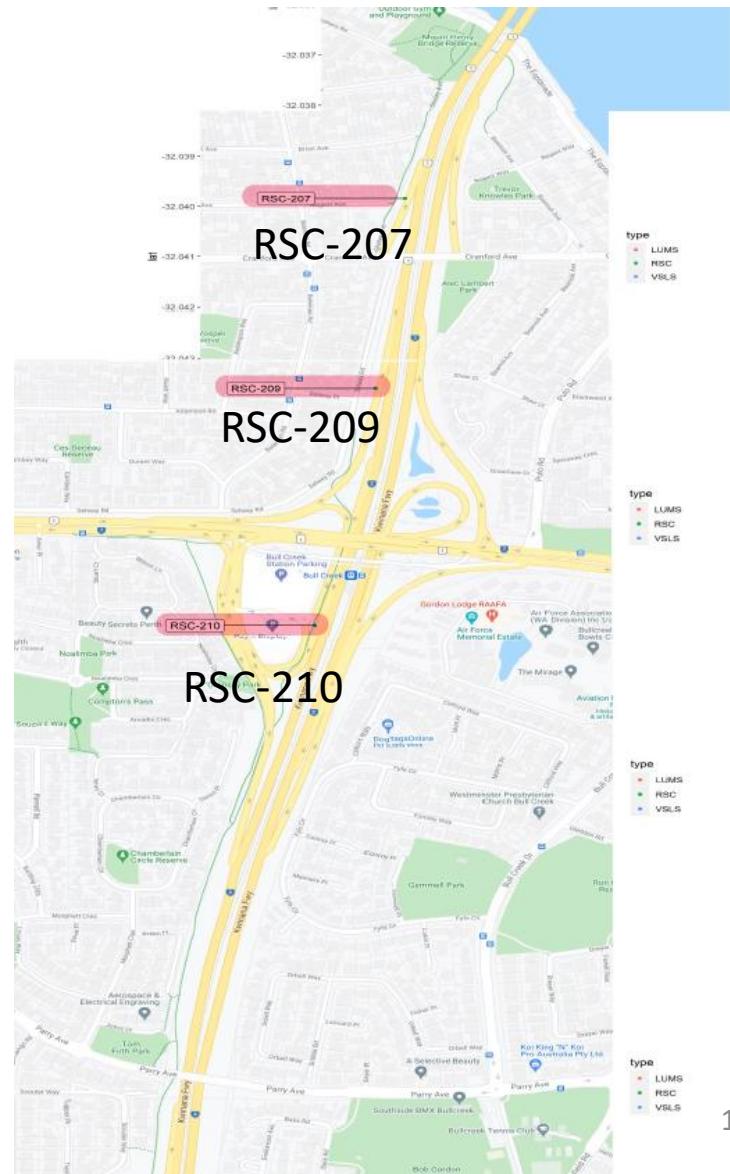
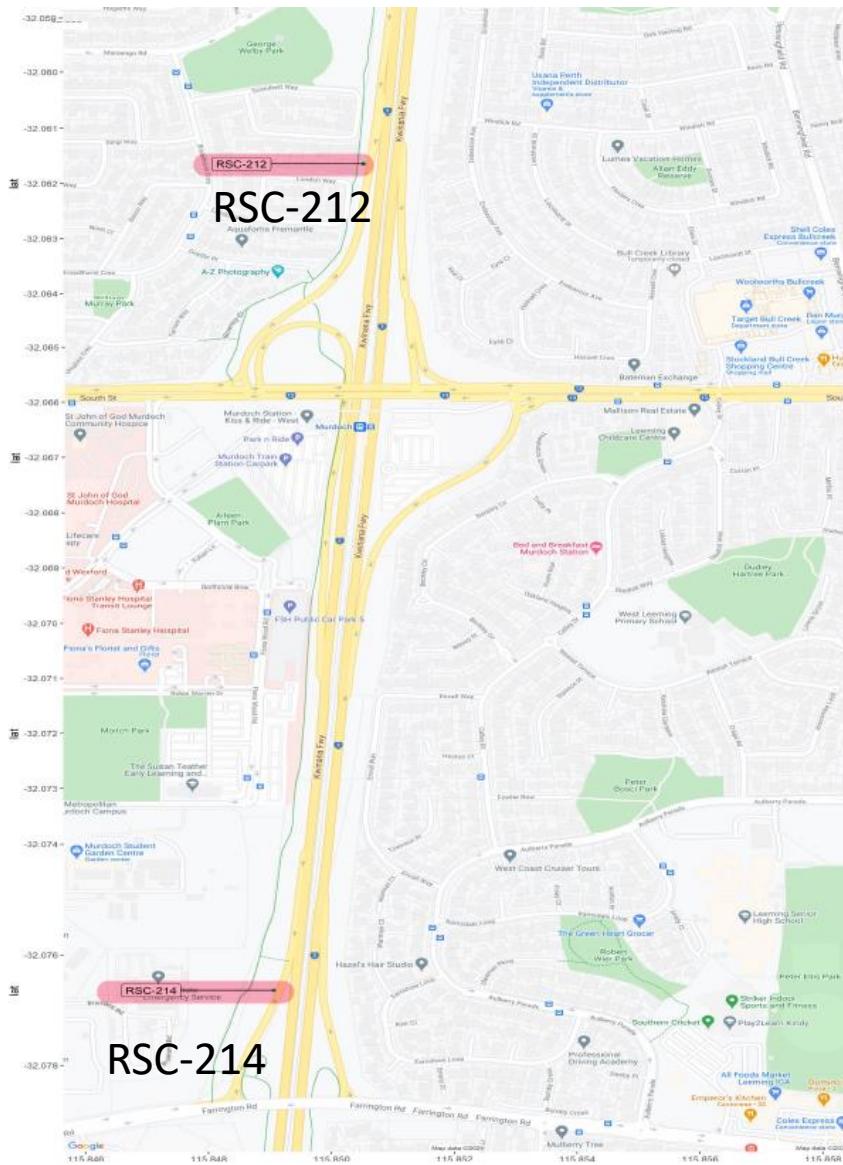
Kwinana Network Model with 156 Detectors & 14 NPI links



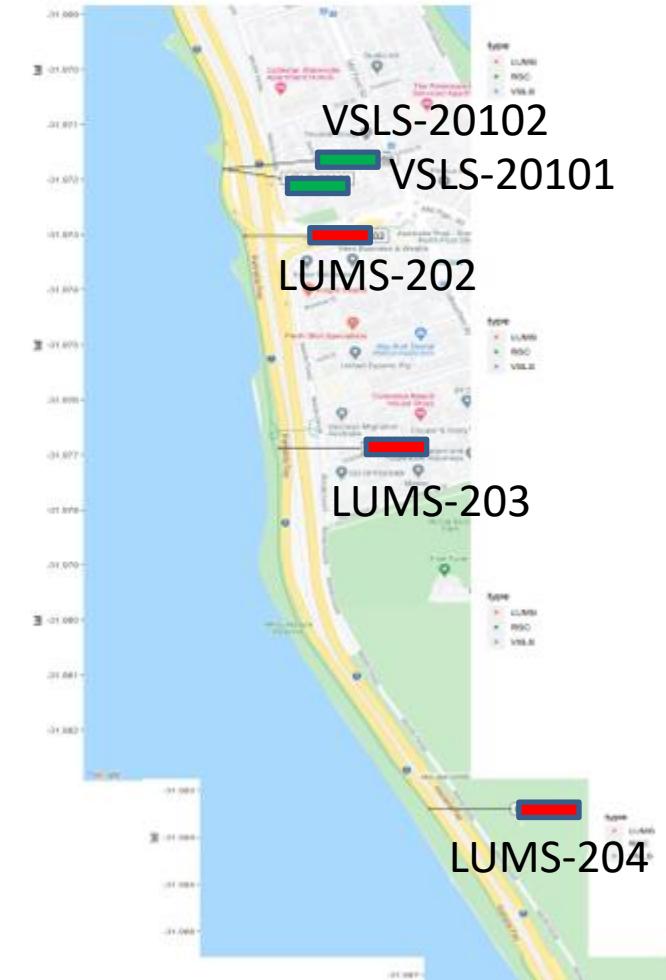
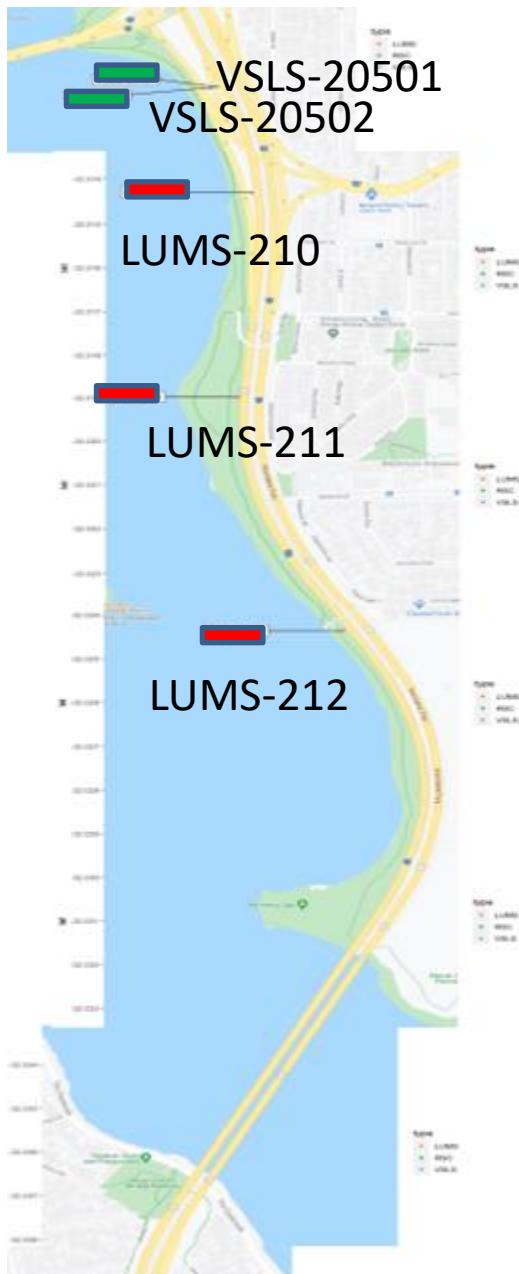
-2-



Ramp Metering Series



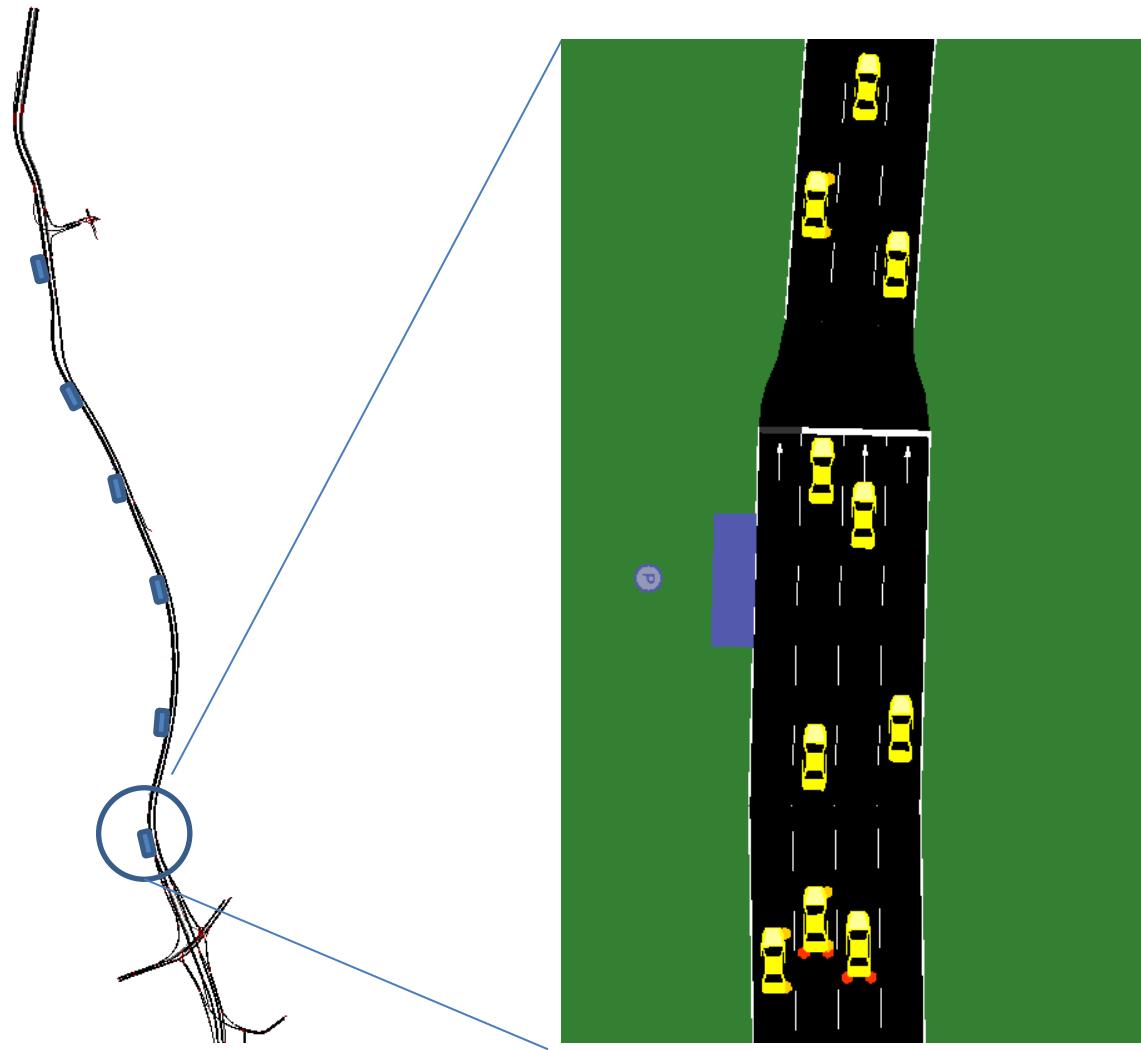
Variable Speed Limit Signs



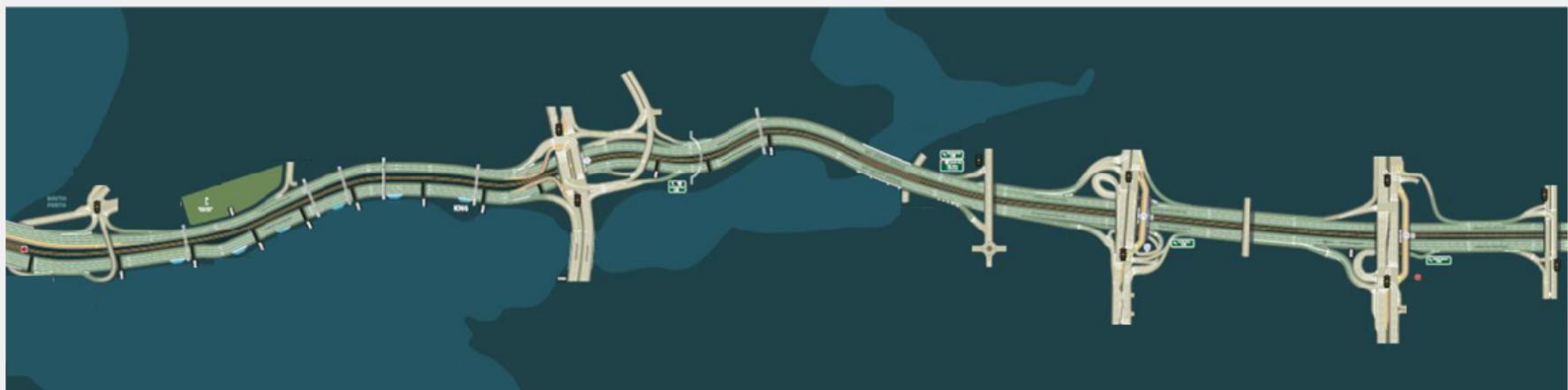
VSLS

LUMS

6 Parking areas



VSL Application Design



LUMS and VSLS

R201 202 203 204 205 206 207 208 R203 209 R205 210 211 212 ALL

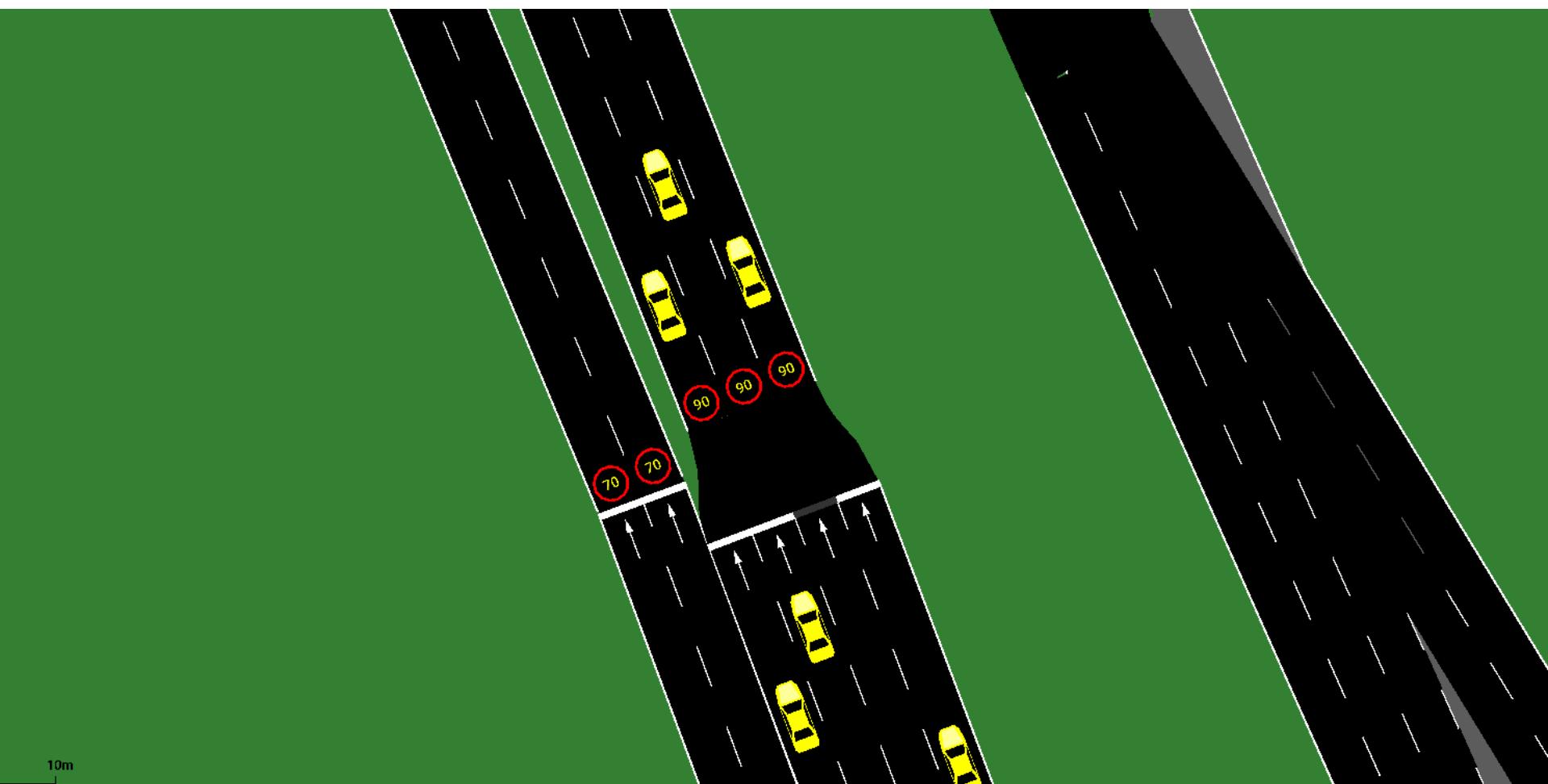
TIME PERIOD

00:00-23:59 6:00-18:00 6:00-10:00; 14:00-18:00

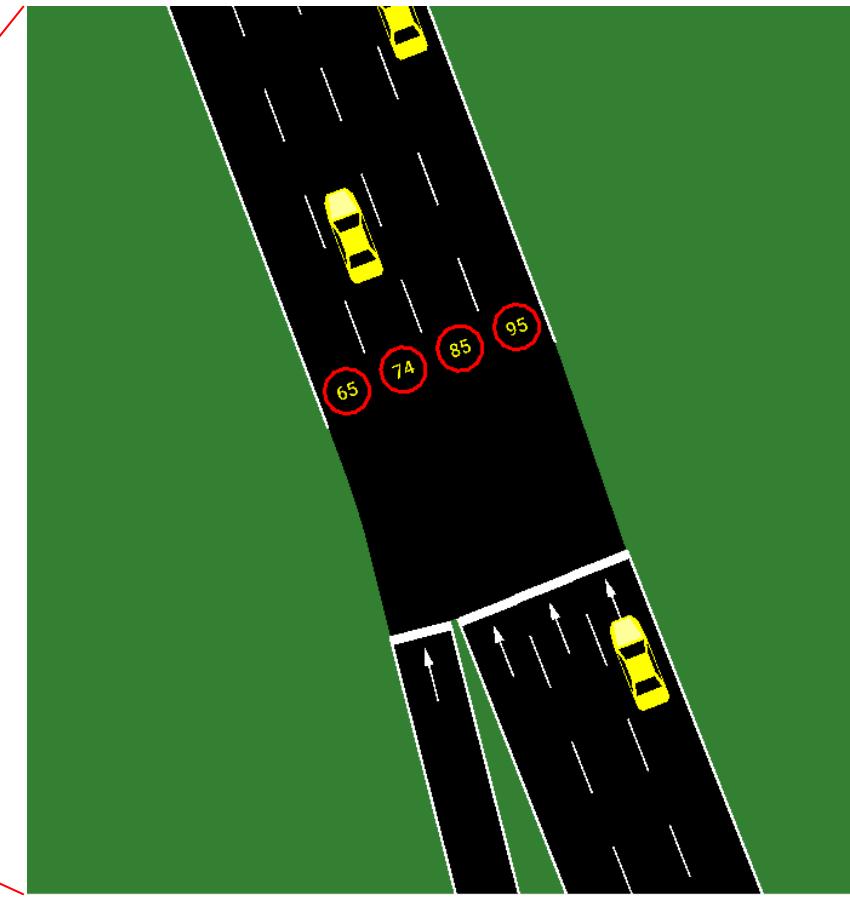
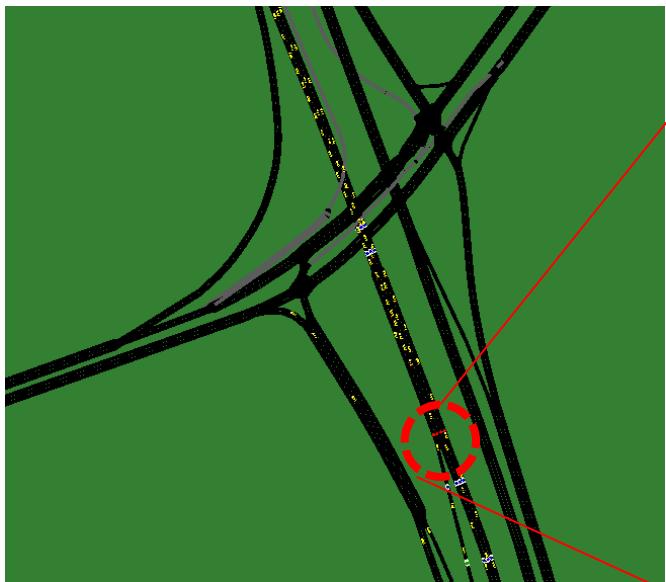
MAX Speed (km/h)

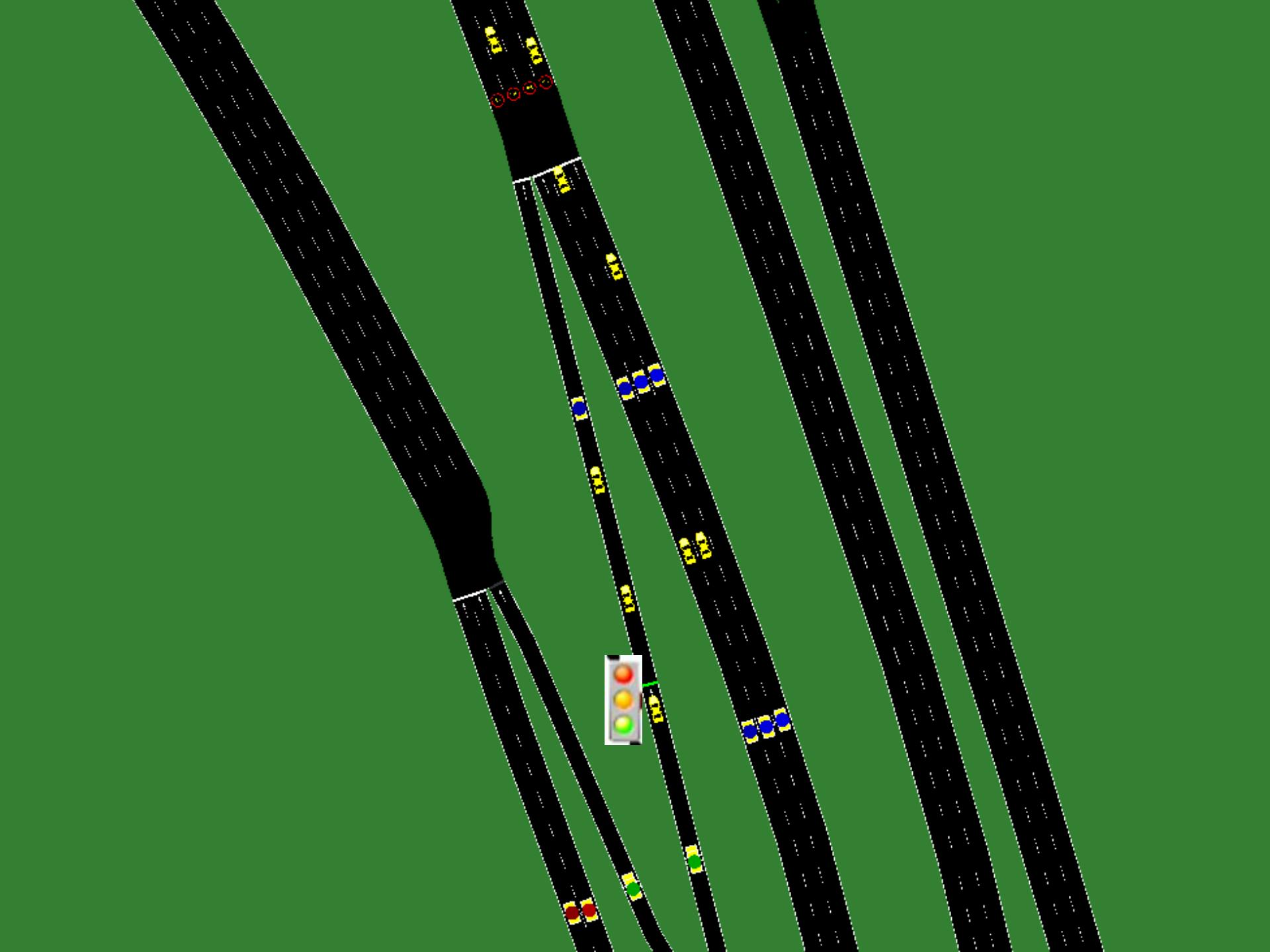
70 80 90 100

Push Button



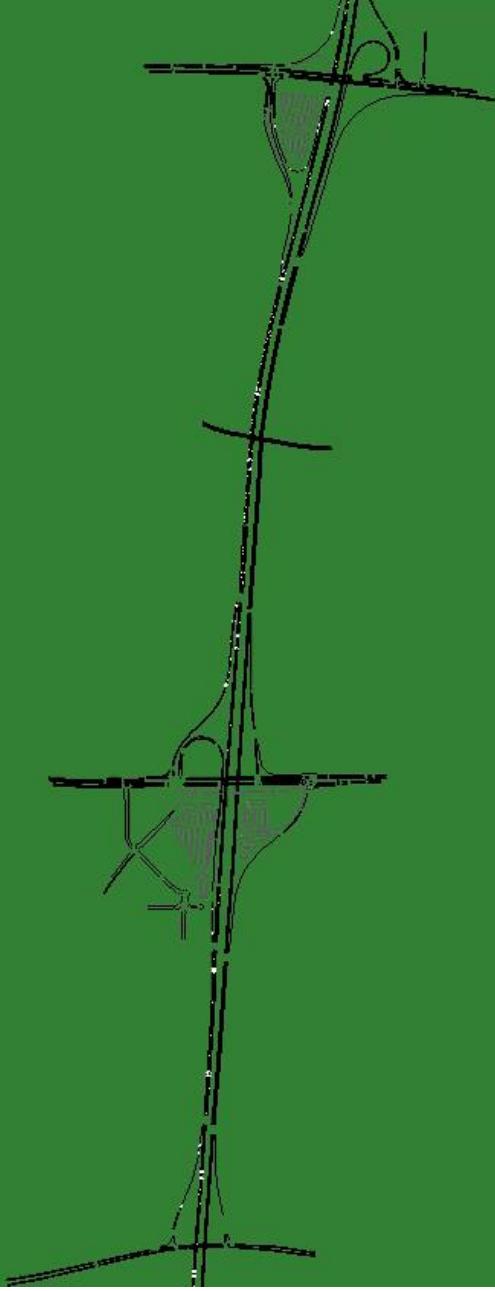
VSLs (70 km/h) and LUMS (90 km/h)

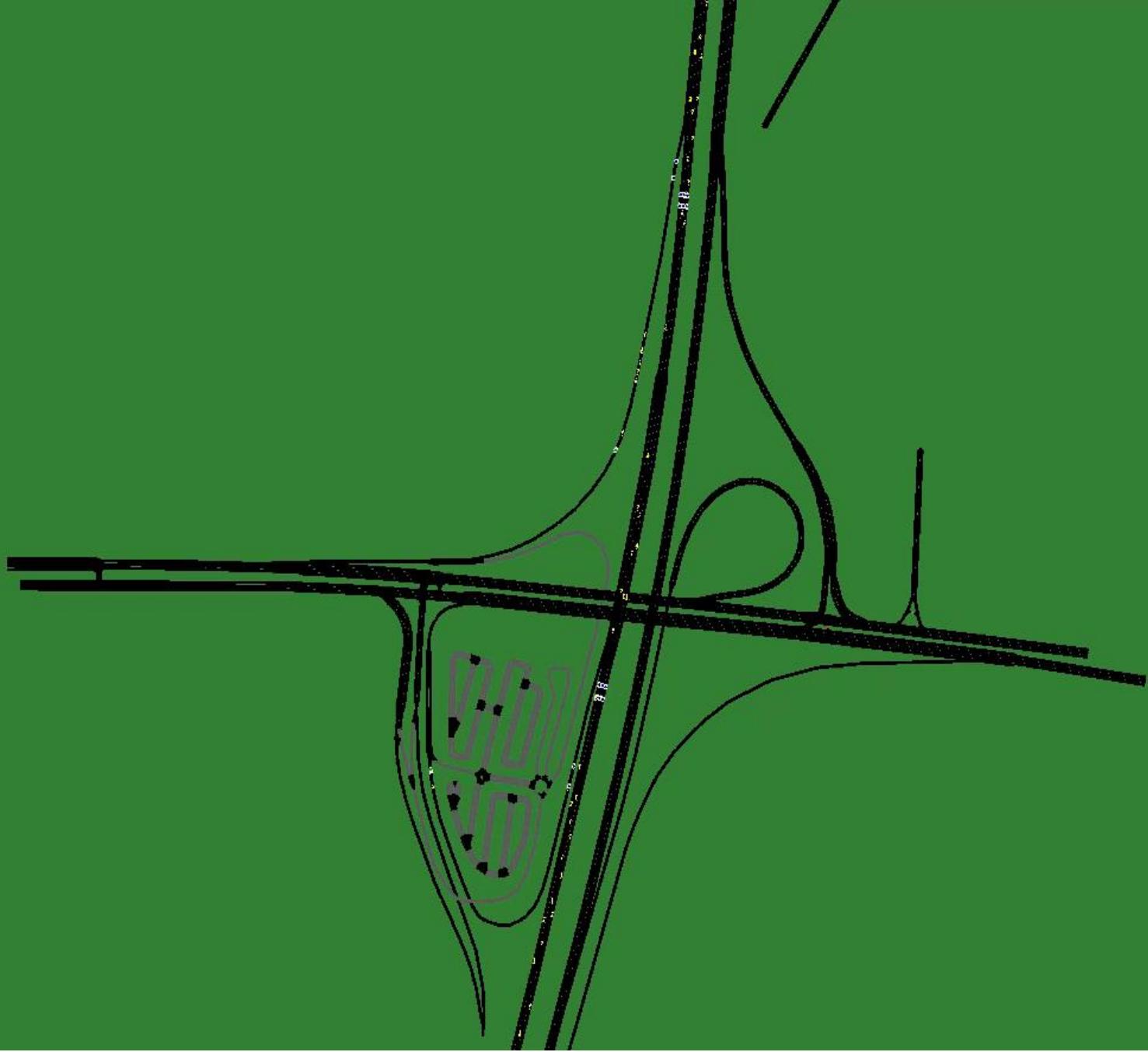


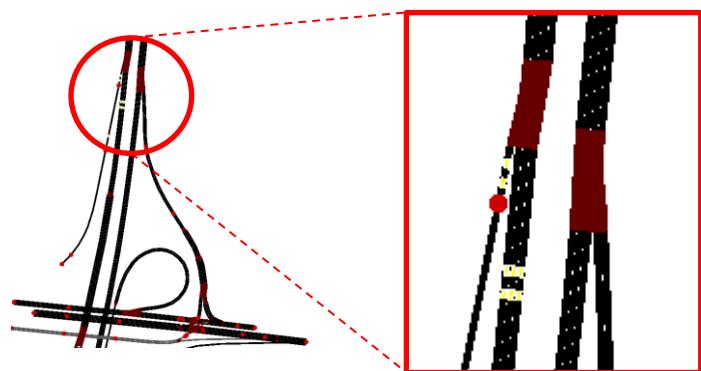
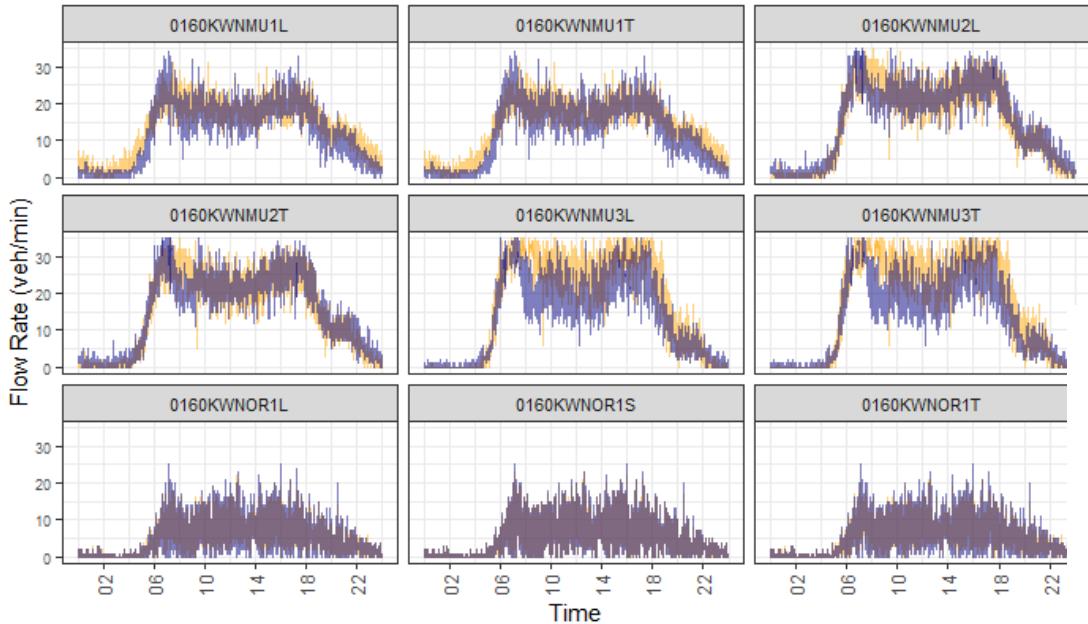




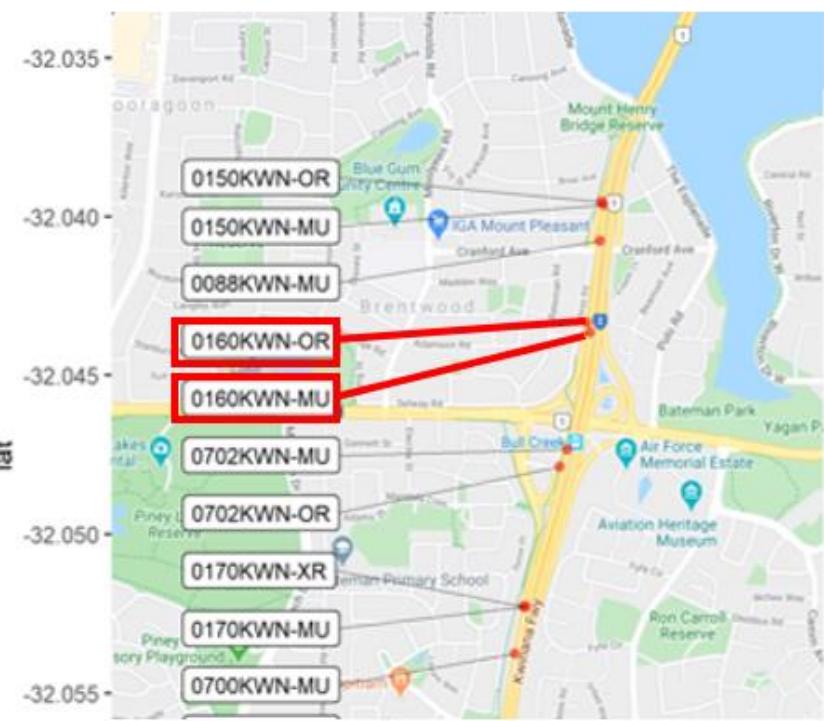
Microsimulation



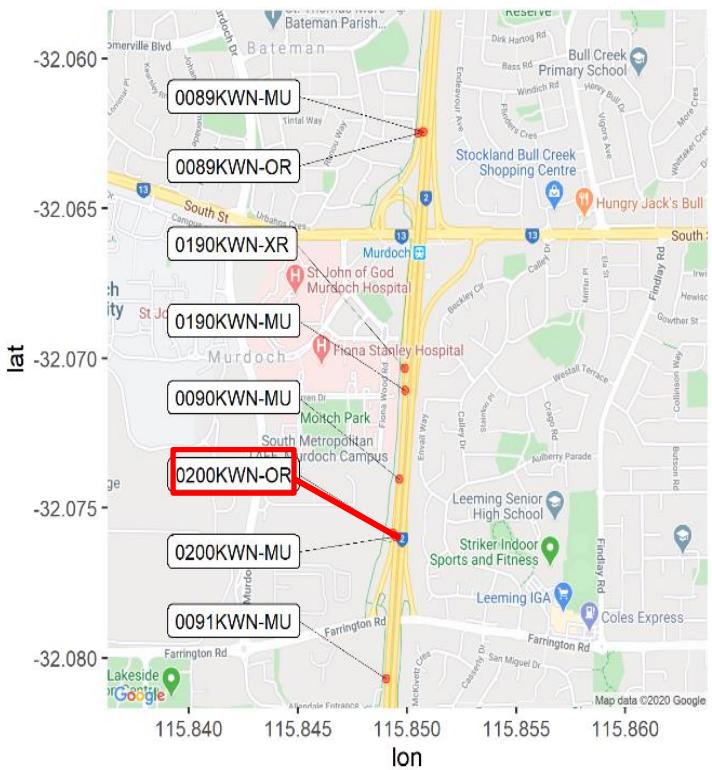
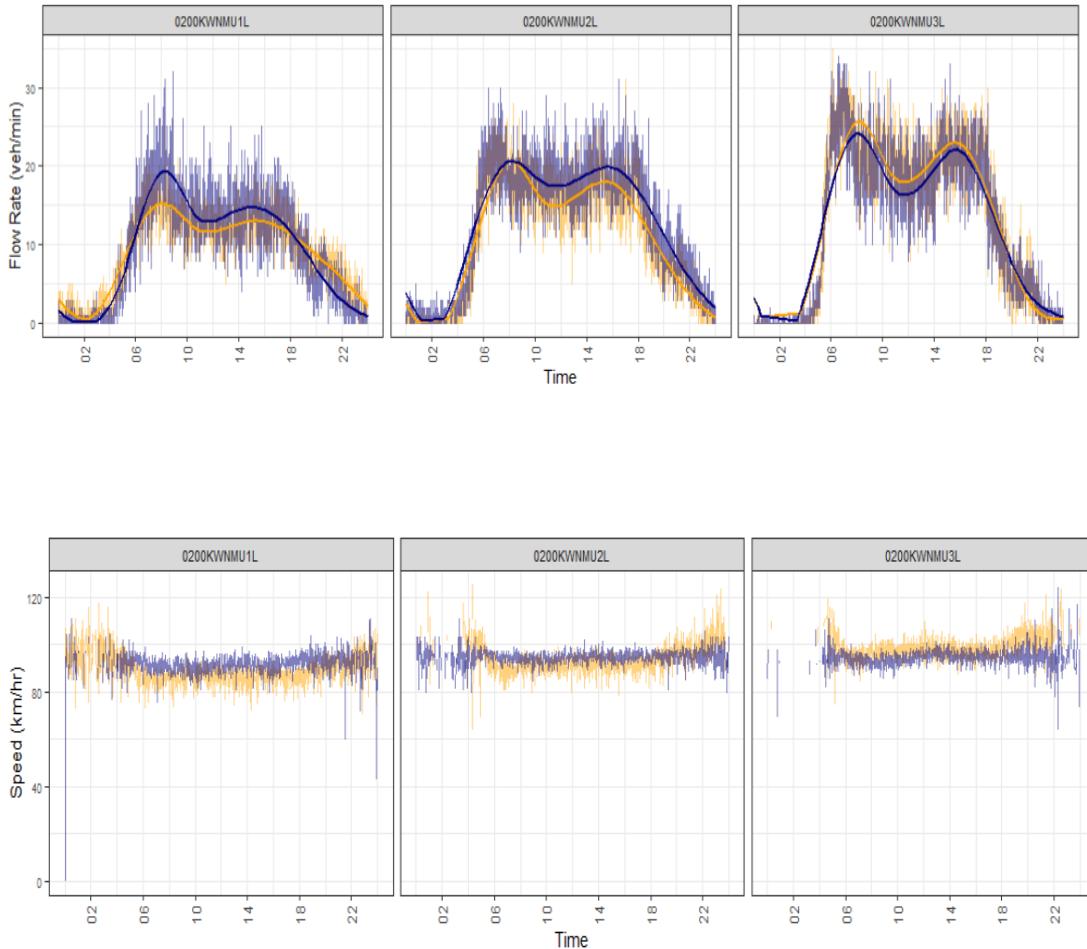




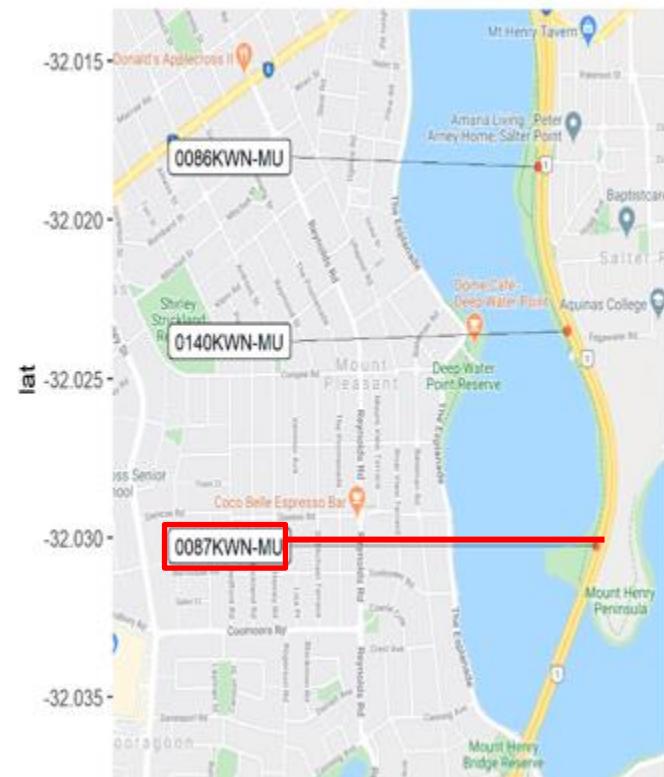
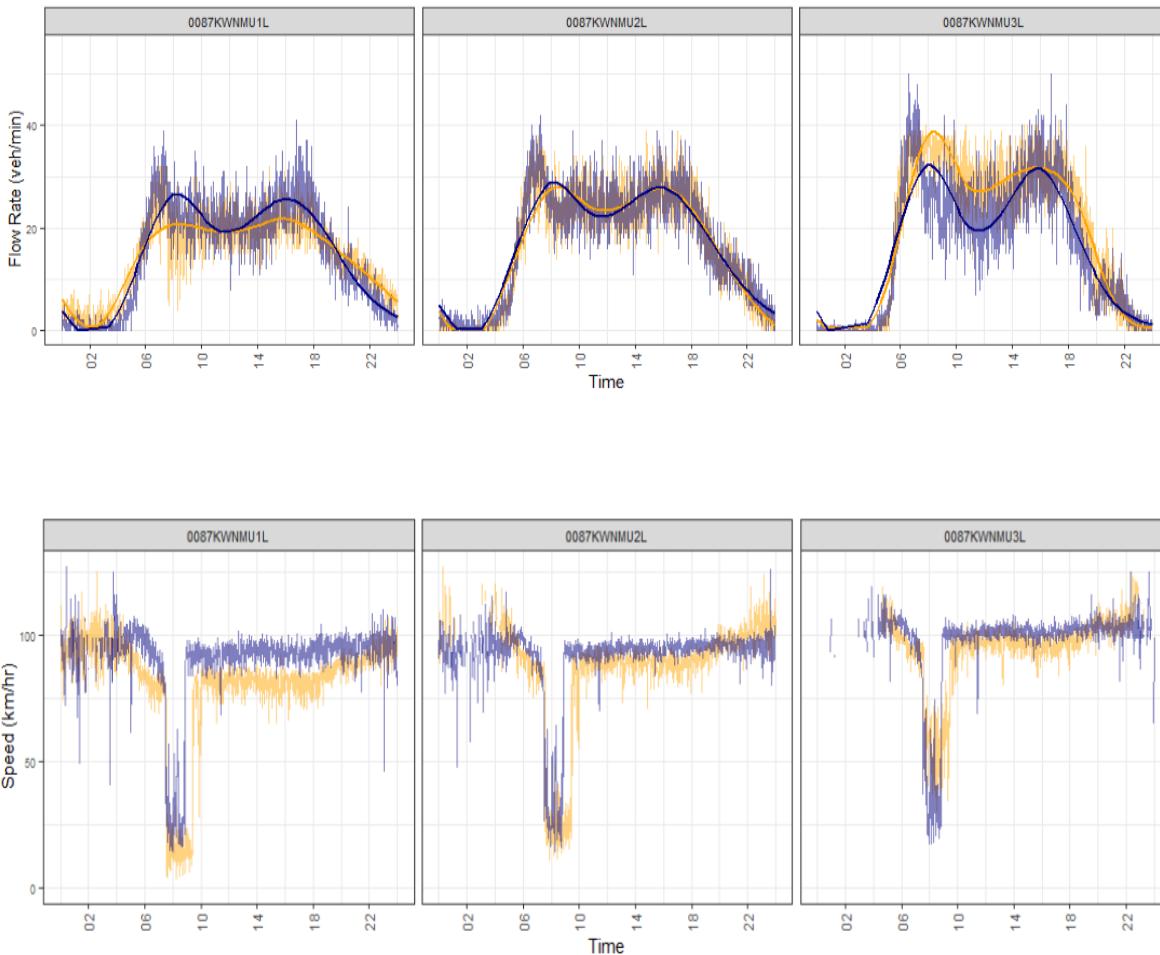
Leach Hwy



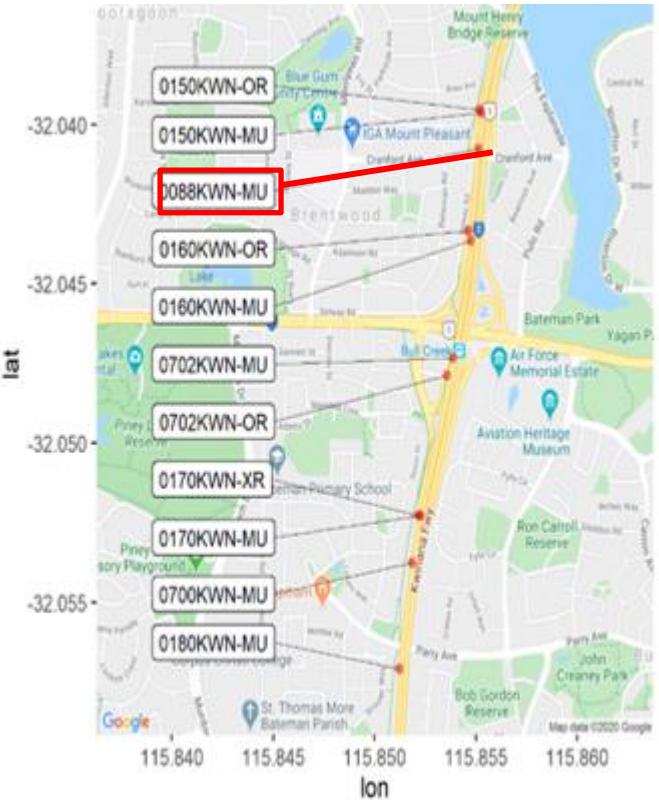
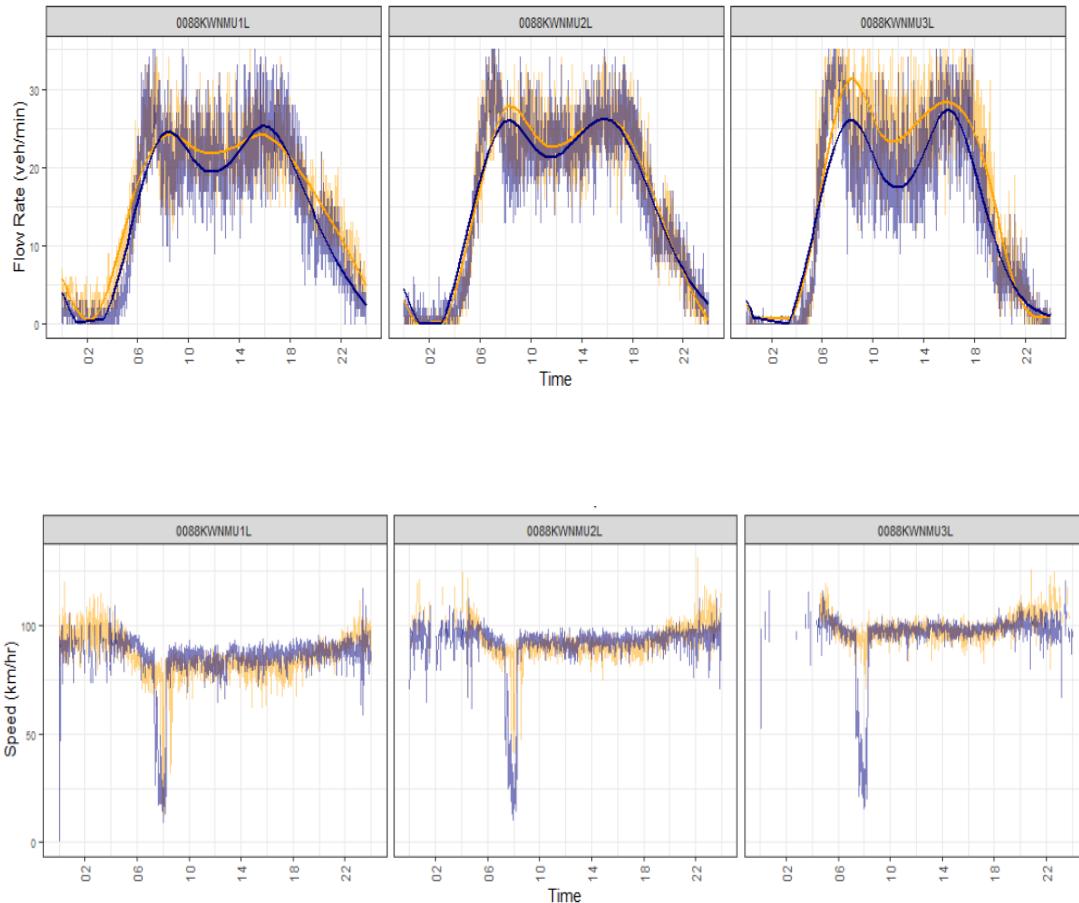
0200KWN: Lanes 1, 2 and 3



0087KWN: Lanes 1, 2 and 3

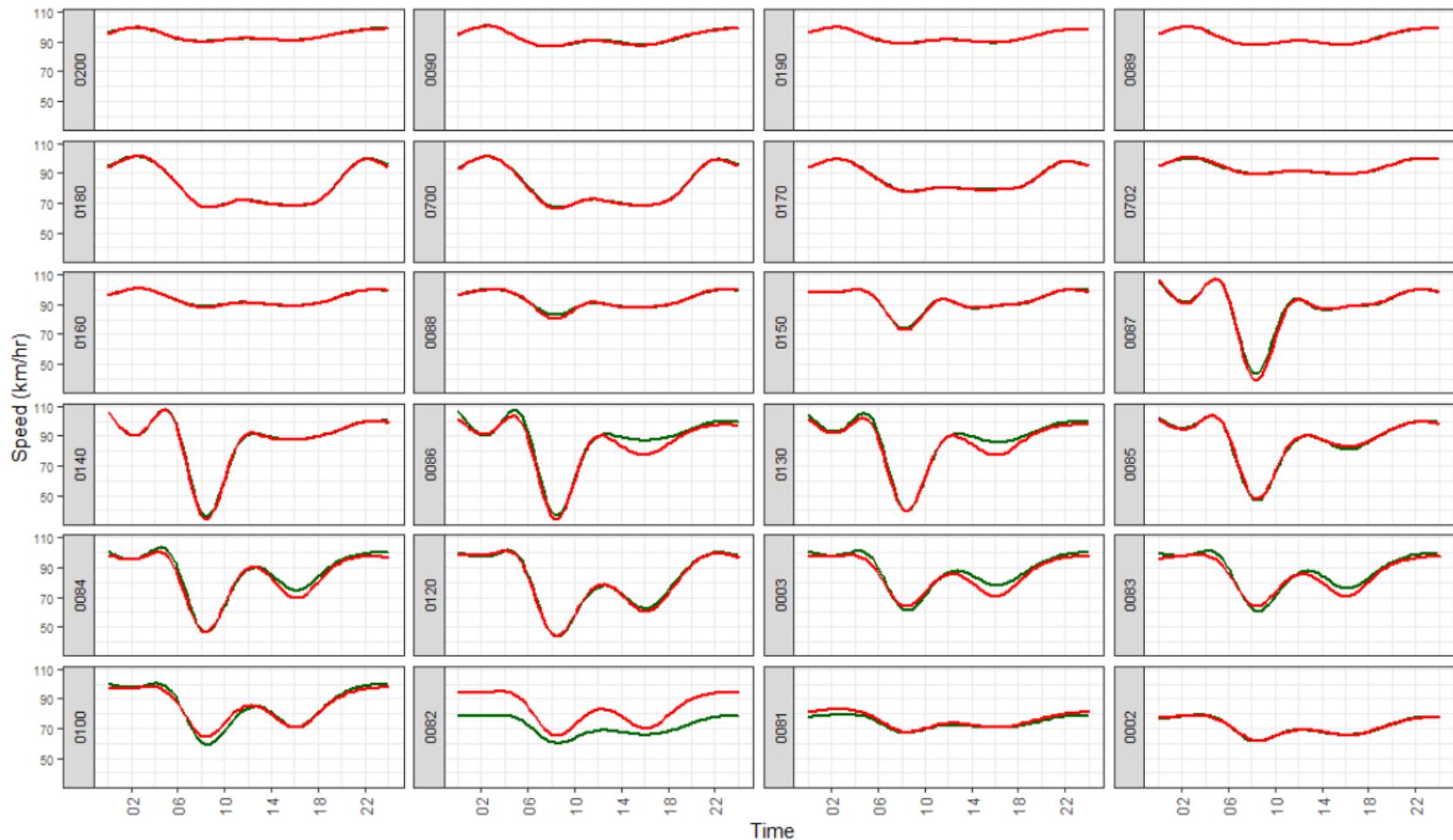


0088KWN: Lanes 1, 2 and 3

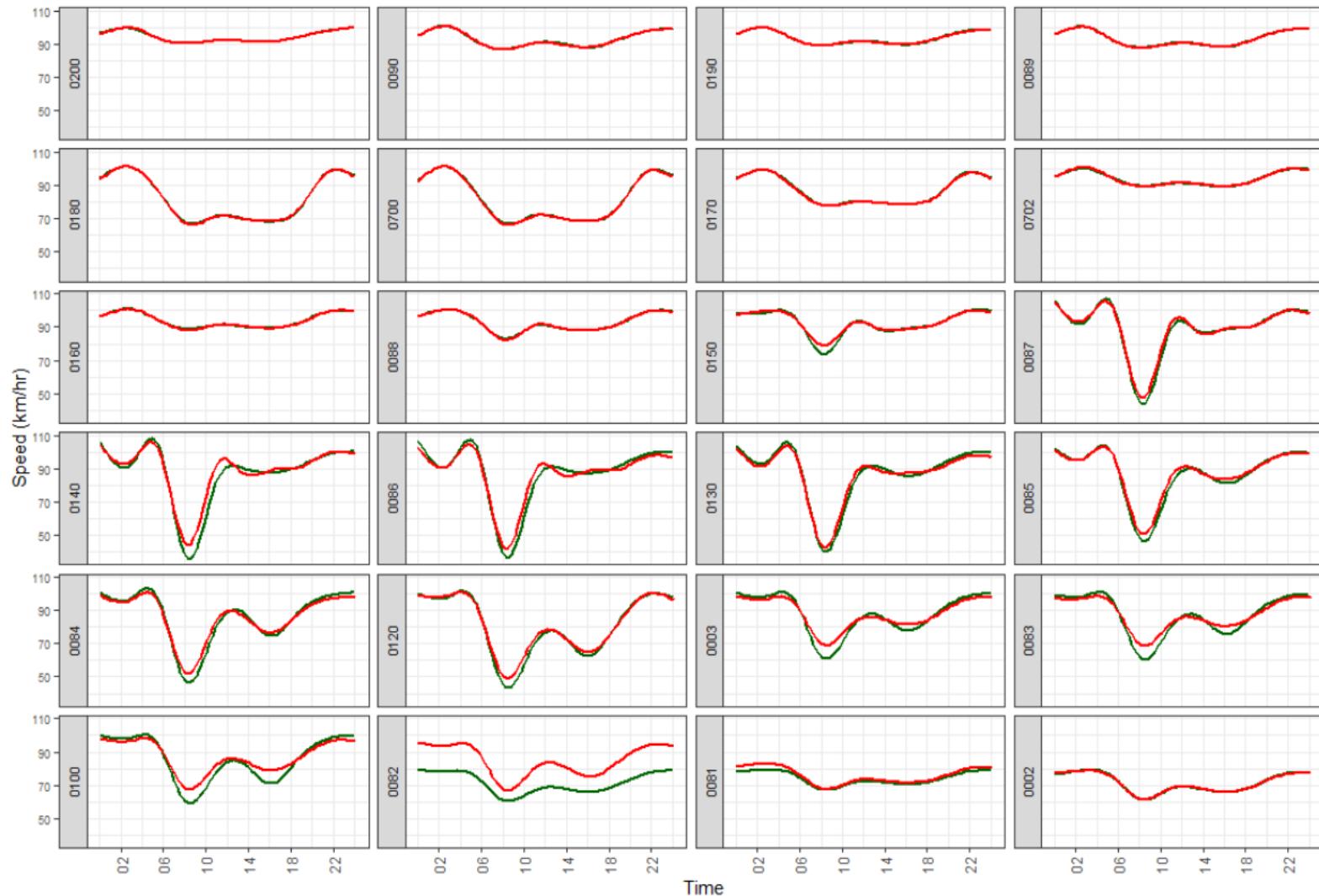


VSL Scheme	Ramp Metering (90 sec per cycle)	LUMS Speed	VSLS Speed
1	80 G 5 Y 5 R	90	70
2	80 G 5 Y 5 R	100	70
3	RSC - I	90	70
4	RSC - I	100	70

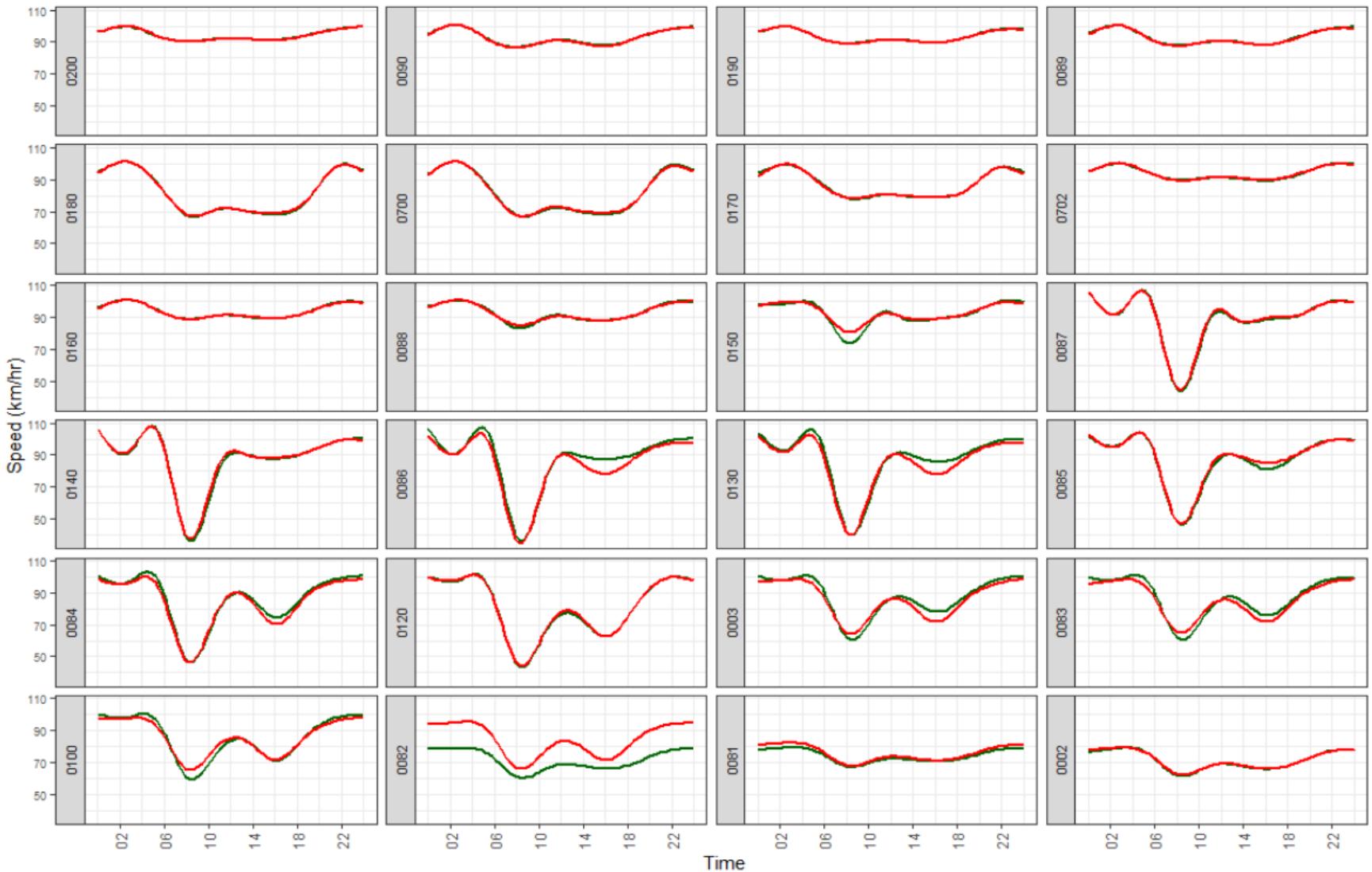
LUMS 90 & VSLS 70



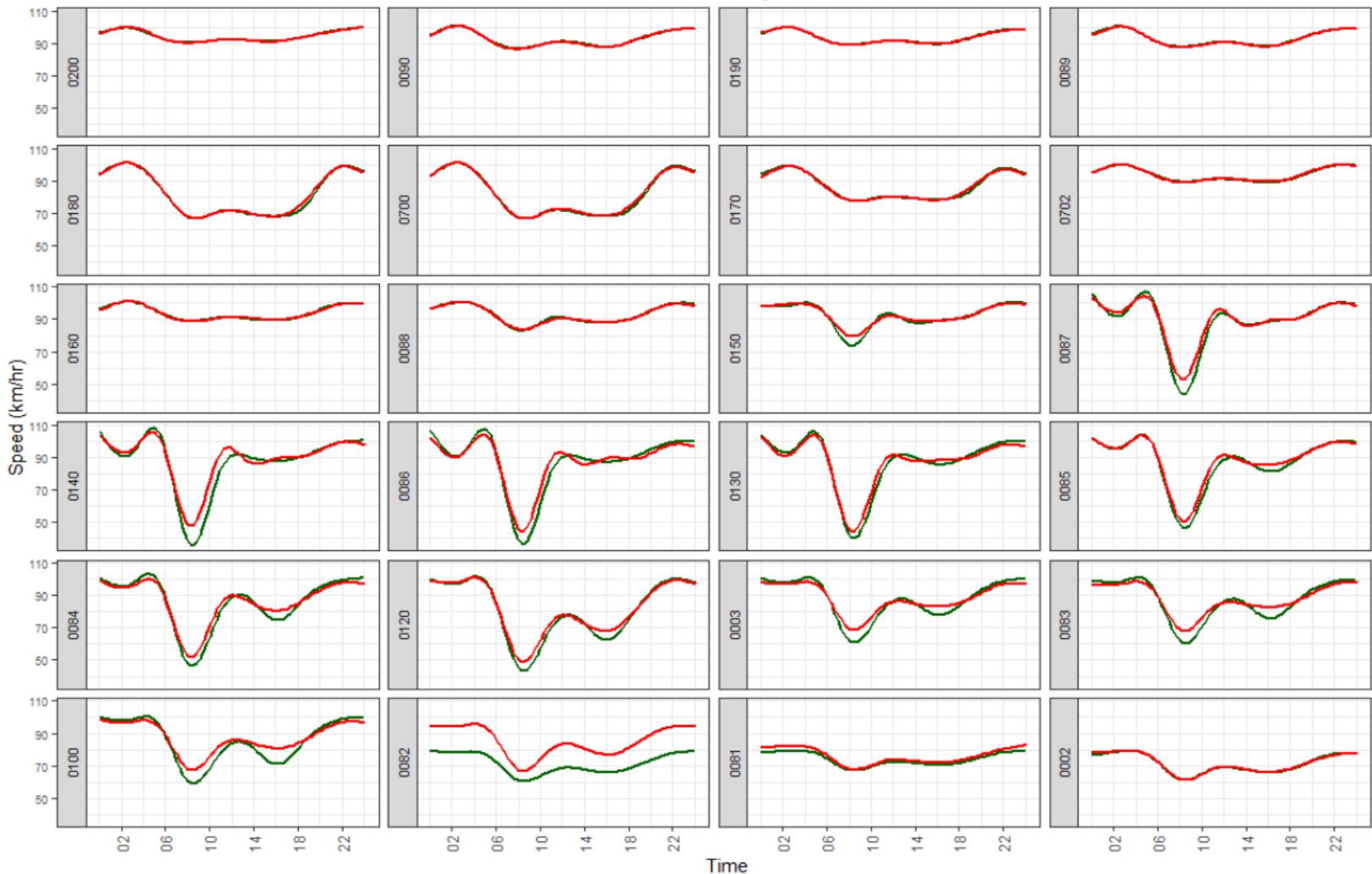
LUMS 100 & VSL 70

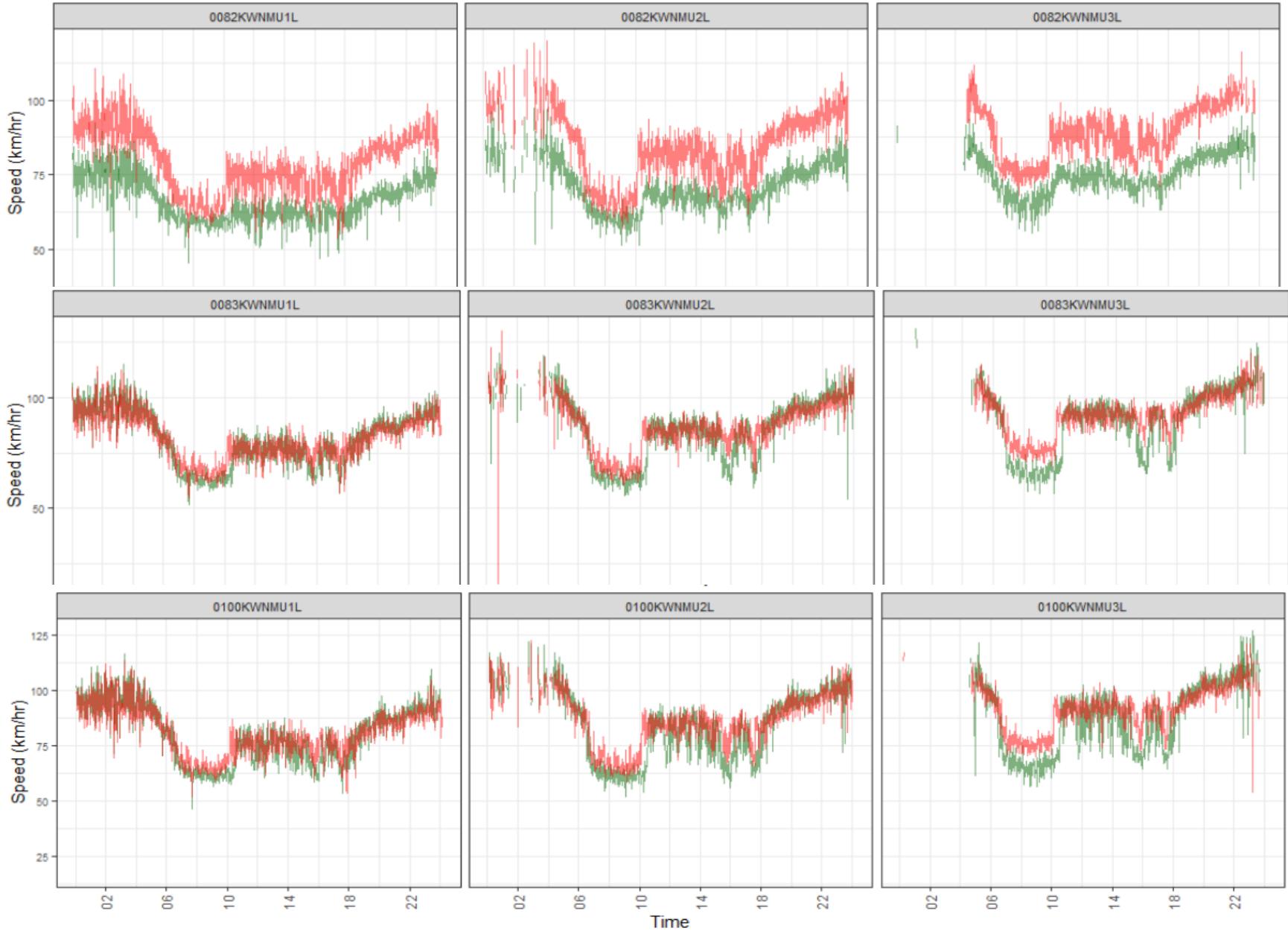


LUMS 90 & VSL 70 & RSC1 (from 6 AM)



LUMS 100 & VSL 70 && RSC (from 6 AM)





Statistics (Average)

Scheme	Duration (s)	Waiting Time(s)	Time Loss(s)	Depart Delay(s)
n/a	391.17	8.3	120.73	97.74
1	391.97	8.21	117.36	97.34
2	378.56	6.81	110.13	95.53
3	385.83	9.04	111.58	93.90
4	373.15	8.64	105.16	92.09

THANK YOU

For Your Attention

