

Progress Report (July 2019)

- Integrated control strategy for variable speed limits and ramp metering by METANET
- Smart freeway data processing and analysis
- Work in progress: optimization of dynamic motorway traffic with robust joint-chance constraints via ramp metering



Integrated control strategy for Variable speed limits (VSL) and ramp metering (RM) by METANET

Project PhD Student: S Xu

Project Supervisor: B Wiwatanapataphee

- Introduction
- METANET simulation model
- Simulation realisation
- Test example and discussion

Introduction

-- Underlying mathematical model

Conservation equation:

$$\rho_{i}(k+1) = \rho_{i}(k) + \frac{T}{L_{i}\lambda_{i}}(\lambda_{i-1}q_{i-1}(k) - \lambda_{i}q_{i}(k) + r_{i} - s_{i})$$

• Traffic flow equation: $q_i(k) = \rho_i(k)v_i(k)$

- Mean speed dynamics on the basis of static speed-density relationship:

$$v_i(k+1) = v_i(k) + \frac{T}{\tau} \{ V[\rho_i(k)] - v_i(k) \} + \frac{T}{L_i} v_i(k) [v_{i-1}(k) - v_i(k)] + \frac{vT}{\tau L_i} \frac{\rho_{i+1}(k) - \rho_i(k)}{\rho_i(k) + \kappa}$$

Relaxation Convection Anticipation $V[\rho_i(k)] = v_{free} exp \left[\frac{1}{\alpha} \left(\frac{\rho_i(k)}{\rho_{cr}} \right)^{\alpha} \right] \qquad b_i(k)$

On- and off-ramps:

$$c_{i}(k) = min \left\{ d_{ramp}(k) + \frac{\omega_{ramp}(k)}{T}, Q_{max,ramp}, Q_{max,ramp} \left(\frac{\rho_{jam,i} - \rho_{i}(k)}{\rho_{jam,i} - \rho_{cr}(k)} \right) \right\}$$

$$\omega_{ramp}(k+1) = \omega_{ramp}(k) + T \left[d_{ramp}(k) - r_{i}(k) \right]$$

Introduction

-- METANET software

- "A simulation program for motorway networks"
 - ✓ Low computational cost
 - ✓ Applicable to various scenarios:

Free/ dense/ congested;

Incidents.

- ✓ Applicable to arbitrary network topology and geometric characteristics
- ✓ Report in terms of macroscopic traffic variables

Traffic density;

Traffic volume;

Mean speed;

Travel times on selected routes.

✓ Visualisation

Time-series evolution of selected variables;

Graphical representation of the entire network

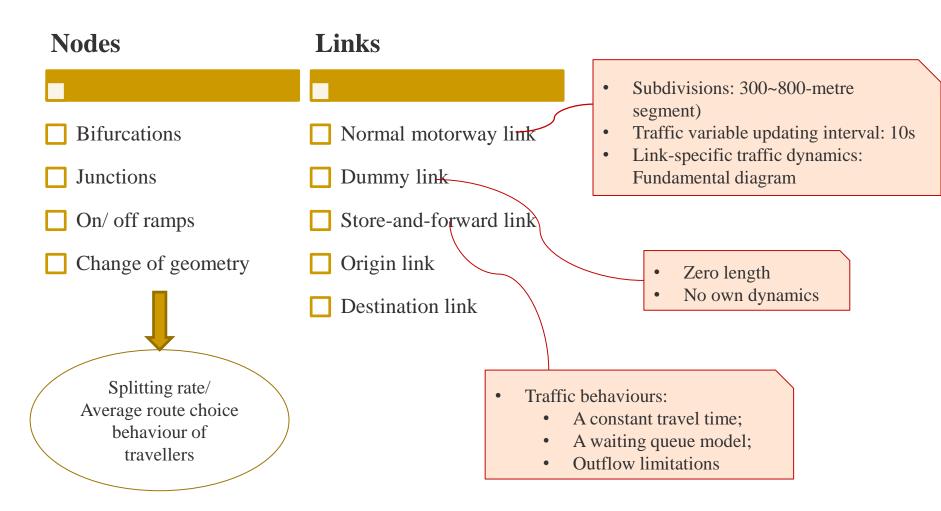
METANET simulation model

-- Key elements

- Network representation by Graphs with nodes and links
 - o Nodes: on/off ramps, junctions etc
 - o Link: a road segment between two nodes
- Required Traffic Data
- Incidents (Control Events and Incidents file)
- Control measures modelling (Control Measures Parameter file)
- Calculation of global performance criteria
 - Total travel time;
 - o Total waiting time (in the queues of the origin links and of the store-and-forward links);
 - Total distance travelled;
 - o Total amount of fuel assumed; and
 - Total disbenefits of routed drivers

METANET simulation model

-- Key elements



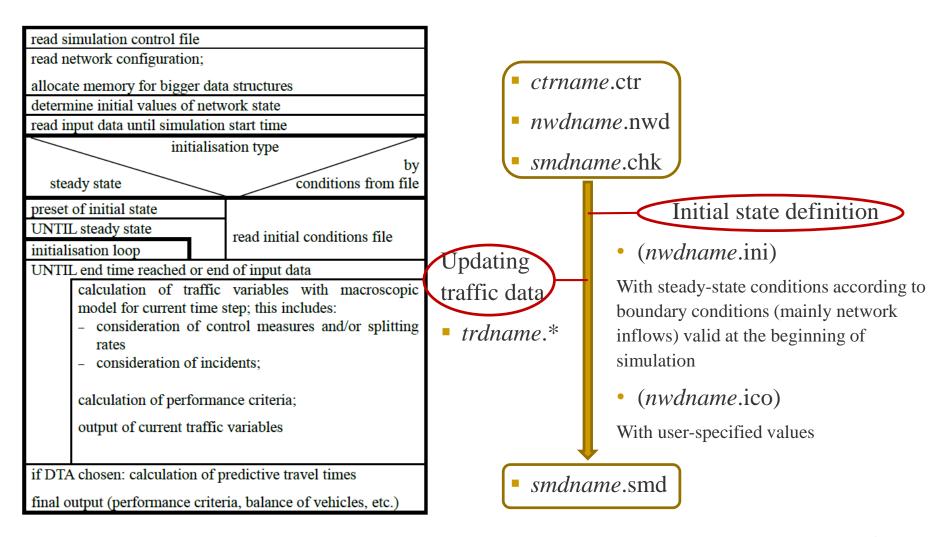
METANET simulation model

-- Key elements

- Parameters for certain control measures:
 - o Compliance rate;
 - Feedback parameters;
 - FM parameter sets;
 - Resulting capacities
- Specification of incidents:
 - Occurrence time and duration;
 - o Location;
 - Severity
- Concurrency of incidents and control measures

Simulation realization by METANET

-- Program structure



Simulation realization by METANET

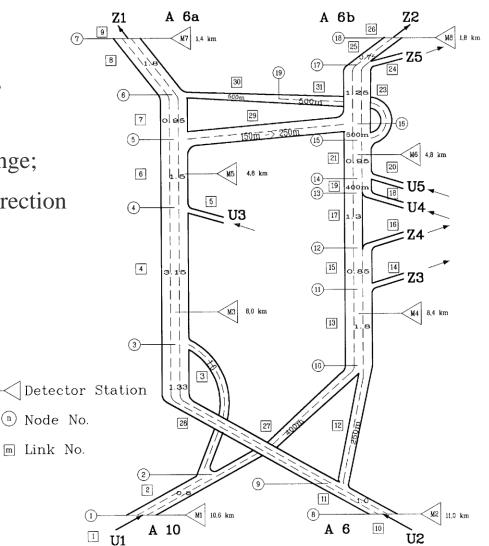
-- Program inputs & outputs

Traffic data files All files are of type text (ASCII) Boundary data via console: Demands (inflows into the network); smdname ctrname Origin-destination nwdname ctrname.ctr information trdname optional: logname ctrname.evt Splitting/ Turning rates trdname.qul nwdname.cpa nwdname.chk nwdname.nwd **METANET** smdname.smd nwdname.ini or alternatively: smdname.rtd nwdname.ico trdname.msd .odm logname.log .spl (.trn)

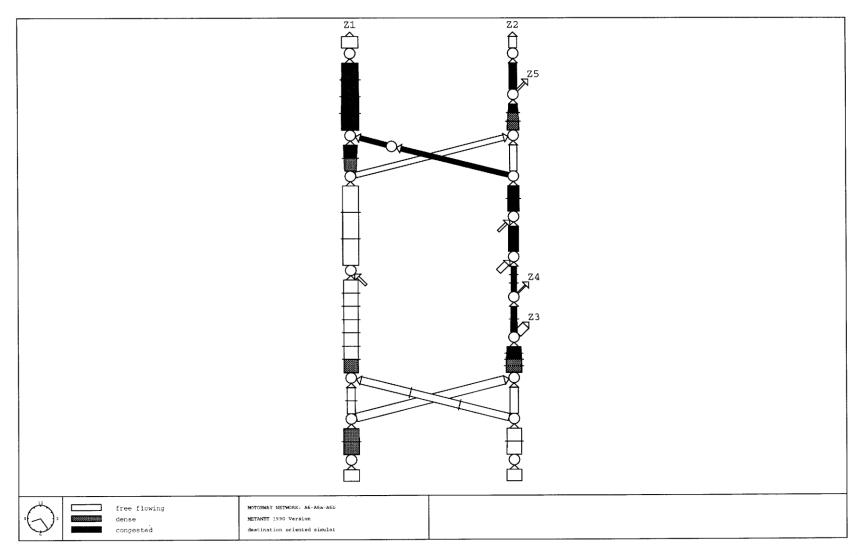
Test example

- Two parallel motorway axes;
- Several on- and off-ramps;
- Two possibilities of interchange;
- Consider only northbound direction

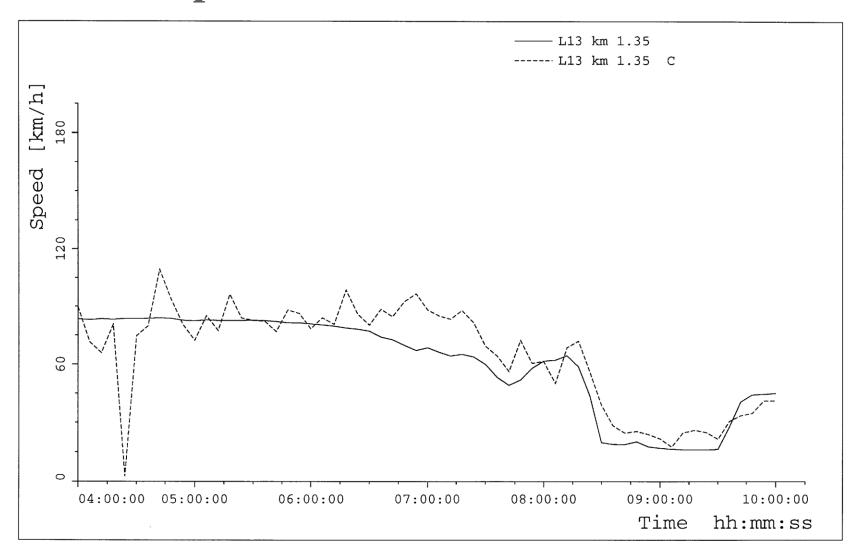
- 21 links (45 segments);
- 19 nodes;
- 5 origins;
- 5 destinations



Test example -- Results



Test example -- Results



Test example

-- Discussion & Conclusion

- METANET can only present time trajectories of traffic speed;
- METANET alone cannot solve optimisation problems;
- METANET, together with AMOC module, cannot realise real-time decision makings;
- Package of METANET & AMOC is not openly available.



- SUMO is mainly a microscopic simulation package and possible for macroscopic and mesoscopic applications;
- SUMO is open source with a wide range of extensions.





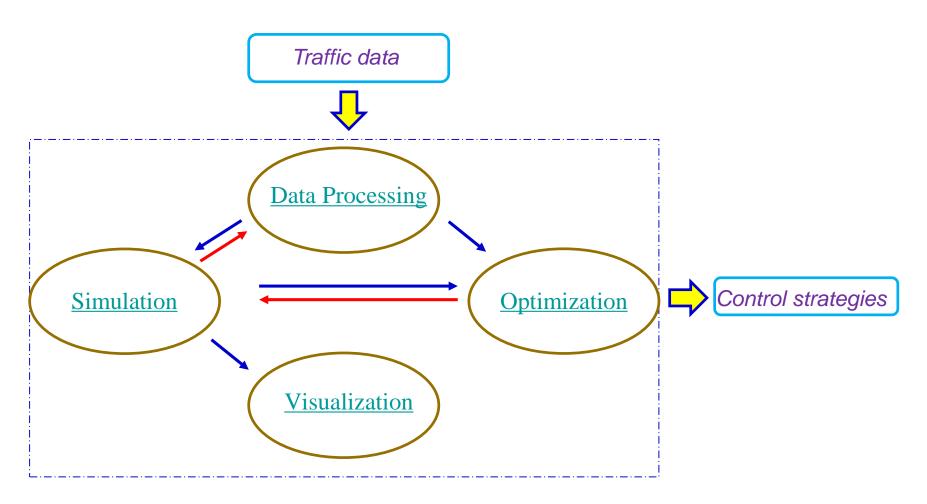
Smart freeway data processing and analysis

Project researcher : Shican Liu Project Supervisors: YH Wu & B Wiwatanapataphee

- Introduction
- Traffic Demands onto freeway through on-ramps
- Traffic Density, Velocity, Flow rate on freeway links
 - KwN Fwy NB from Manning Rd to Canning Hwy
- Traffic Density, Velocity, Flow rate on freeway links
 - KwN Fwy NB from Mill Point Road

1. Introduction

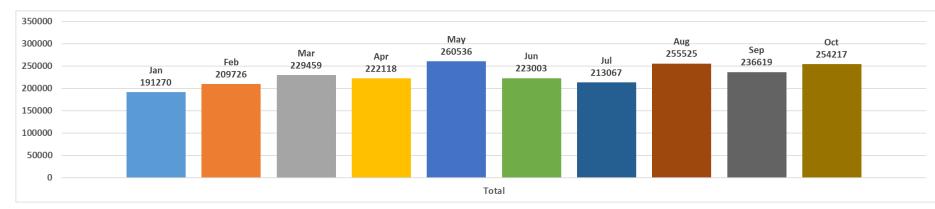
A computational framework for smart freeway modelling and optimization

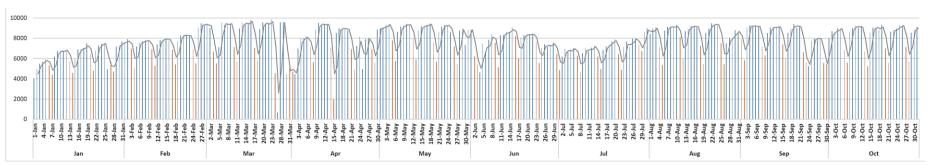


2. Traffic Demands onto freeway through on-ramps

KwN Manning On-Ramp (130) (H457@310) - 0130KWN-OR1

Traffic Volume (Jan – Oct 18)



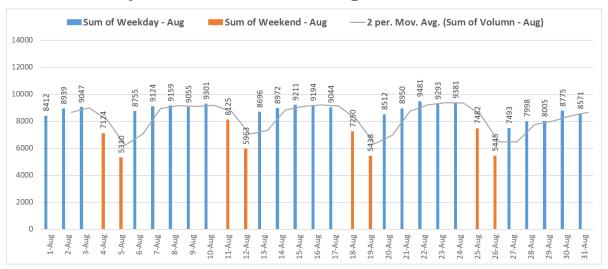


Sum of Weekday

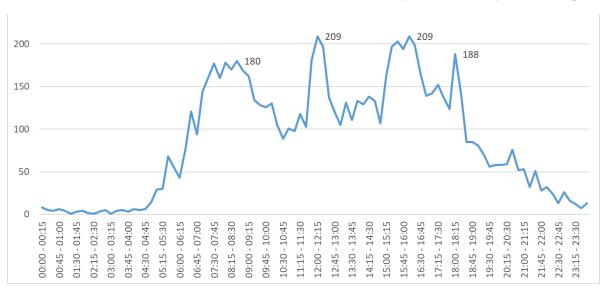
Sum of Weekend

—2 per. Mov. Avg. (Sum of Volumn)

Distribution of daily traffic volume in August 2018

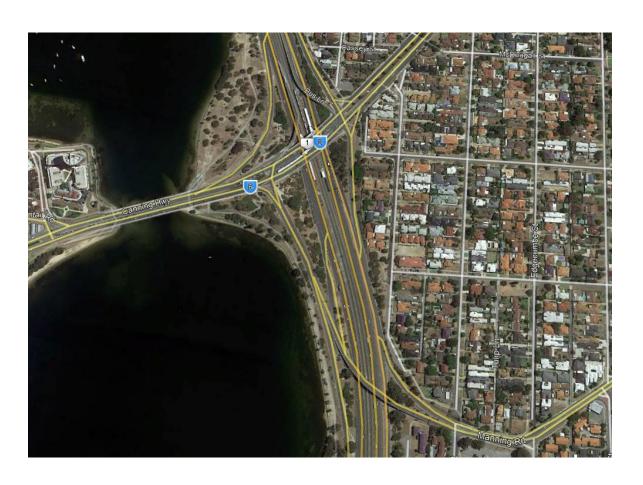


Distribution of flow rate (veh/15 mins) in a typical day (1 August 2018)



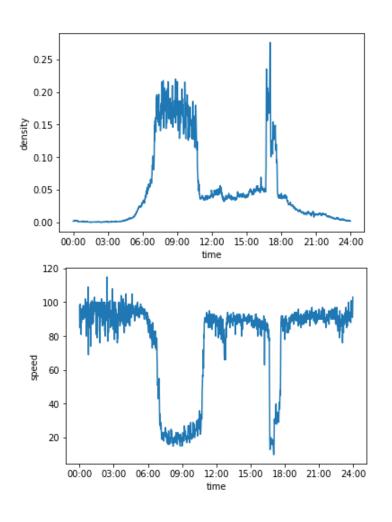
3. Traffic Density, Velocity, Flow rate on Freeway links

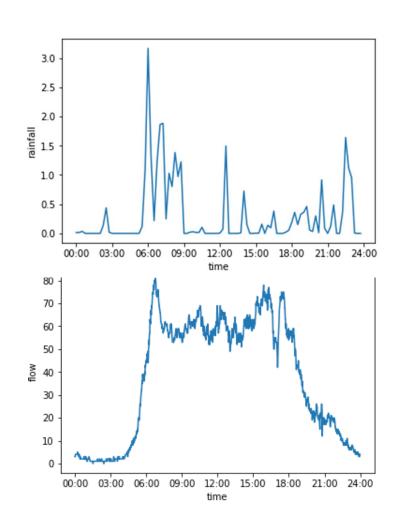
Kwinana Fwy Nth Bound between Manning Rd - H547 on KwN Fwy NB & Canning Hwy - H549 on Kwy Fwy



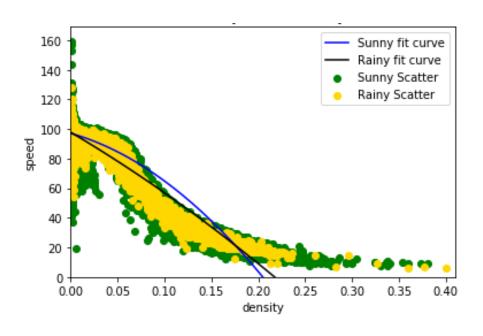
Variation of traffic density, speed, flow rate and rainfall

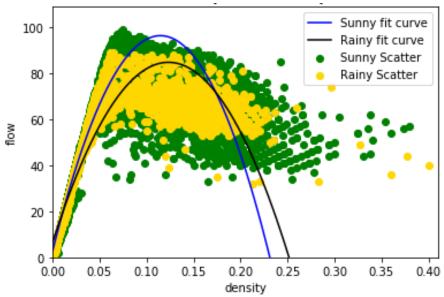
On a typical raining day (1 August 18)





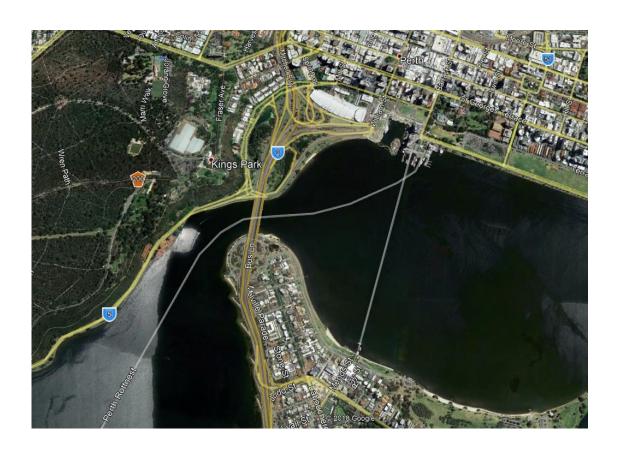
Relationship between Speed (km/hr)/Flow (veh/min) and Density (veh/metre) Jan – Oct 2018





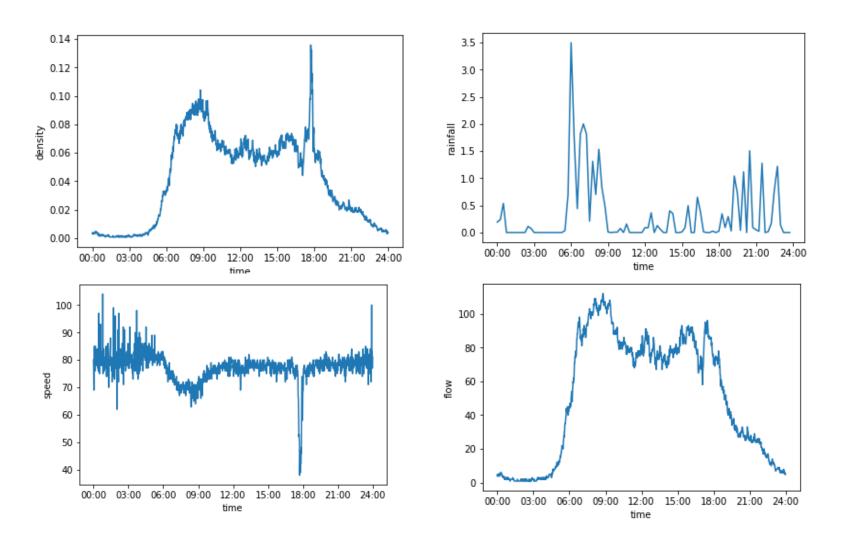
4. Traffic Density, Velocity, Flow rate on freeway links

Kwinana Fwy NB between Kwinana Fwy Nth Bound H503 Off - Mill Pt Rd & Mitchell Fwy Nth Bound

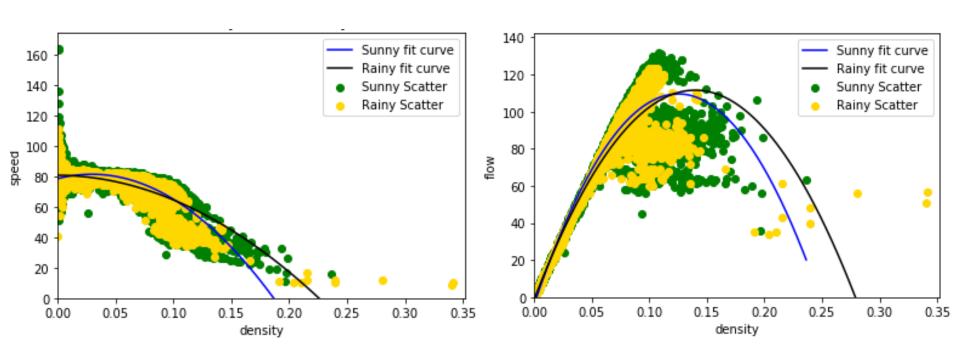


Variation of traffic density, speed, flow rate and rainfall

On a typical raining day (1 August 18)



Relationship between Speed (km/hr)/Flow (veh/min) and Density (veh/metre) Jan – Oct 2018





Work in Progress:

Optimization of dynamic motorway traffic with robust joint-chance constraints via ramp metering

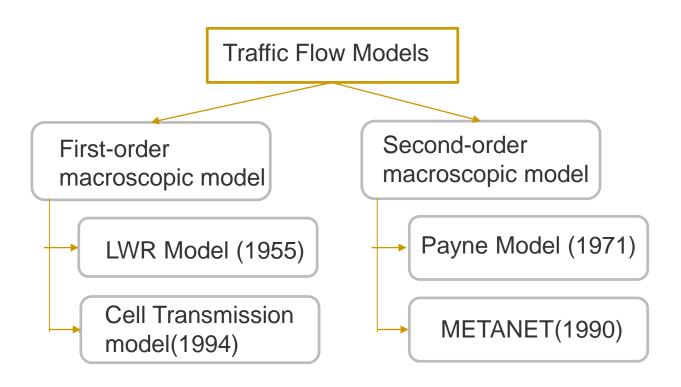
Project PhD student: Chuanye Gu

Project Supervisors: YH Wu & B Wiwatanapataphee

- Introduction
- Traffic Flow Dynamics
- Robust Optimization model based on CTM

Introduction

- Classification of Macroscopic Traffic flow models

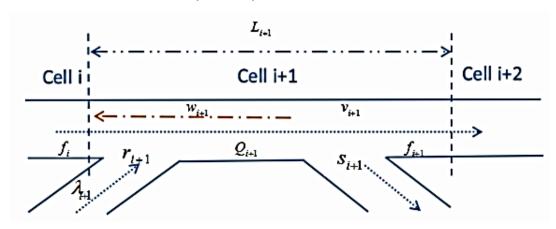


Traffic Flow Dynamics (CTM)

Kinematic Wave Model or LWR model

$$\frac{\partial \rho_{x,t}}{\partial t} + \frac{\partial f_{x,t}}{\partial x} = r_{x,t} - s_{x,t}$$

Cell Transmission Model (CTM)



$$\rho_{i,t+1} = \rho_{i,t} + \frac{\triangle \iota}{\triangle x_i} (f_{i-1,t} - f_{i,t} + r_{i,t} - s_{i,t})$$

and

$$f_{i,t} = \min \{ v_i \rho_{i,t}, \ Q_i, \ Q_{i+1}, \ w_{i+1}(\bar{\rho}_{i+1,t} - \rho_{i+1,t}) \}$$

Distributionally Robust Optimization based on CTM

Assume that the uncertain demand and capacity depend affinely on the random number $\xi \in R$ and $\zeta \in R$, i.e.,

$$\tilde{\lambda}_{j,t} = \mu_{j,t} + \delta_{j,t}\xi$$

$$\tilde{Q}_i = \theta_i + \eta_i \zeta$$

where $\mu_{j,t}$ and θ_i denote the means of the demand and capacity, and $\delta_{j,t}$ and η_i denote the variances of demand and capacity with

$$E(\xi) = 0, \ E(\zeta) = 0, \ Var(\xi) = 1 \text{ and } Var(\zeta) = 1.$$

Constraint optimization problem:

$$(\mathrm{DRP}) \mathrm{min}_r D \ = \ \sum_{i=1}^I \sum_{t=1}^T \left(\rho_{i,t} \triangle x_i \triangle t - \frac{f_{i,t} \triangle x_i \triangle t}{v_i} \right) + E \left(\sum_{j=1}^J \sum_{t=1}^T \ell_{j,t} \triangle t \right)$$
 subject to

$$\rho_{i,t+1} = \rho_{i,t} + \frac{\triangle t}{\triangle x_i} \left(f_{i-1,t} - f_{i,t} + r_{i,t} - s_{i,t} \right), \quad \forall i, t$$

$$\begin{cases} f_{i,t} \leq v_i \rho_{i,t}, \forall i, t, \\ \inf_{\mathbb{P} \in \mathbb{P}} \mathbb{P}[f_{i,t} - \theta_i - \eta_i \zeta, \forall i, t,] \geq 1 - \epsilon_c, \end{cases} \text{ send function,}$$

$$\begin{cases} \inf_{\mathbb{P} \in \mathbb{P}} \mathbb{P}[f_{i,t} - \theta_{i+1} - \eta_{i+1} \zeta, \forall i, t,] \geq 1 - \epsilon_c, \\ f_{i,t} \leq w_{i+1}(\overline{\rho}_{i+1} - \rho_{i+1,t}), \forall i, t, \end{cases} \text{ receive function,}$$

$$\begin{cases} I_{j,t+1} = I_{j,t} + (\mu_{j,t} + \delta_{j,t} \xi - r_{j,t}) \Delta t, \forall j, t, \\ \inf_{\mathbb{P} \in \mathbb{P}} \mathbb{P}[I_{j,t} + (\mu_{j,t} + \delta_{j,t} \xi - r_{j,t}) \Delta t \leq I_{\max}, \forall j, t,] \geq 1 - \epsilon_d \end{cases}$$

Further Work

Analyse the COP
Construct solution algorithms
Calibrate model parameters
Apply the COP to study traffic flow – optimization problems

THANK YQU